

EXPERIMENTAL INVESTIGATION OF DETACHED SHOCK WAVES  
ON A 70° CONE AT VARIOUS ANGLES OF ATTACK

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## ABSTRACT

An experimental investigation was made to determine the variation of shock shape and extent of subsonic region behind the shock wave with angle of attack for a  $70^\circ$  cone at various Mach numbers. The main interest was centered on those Mach numbers which produced detached shock waves or for which the possibility of detachment at angle of attack existed.

The tests were conducted in the GALCIT 2.5" Supersonic Wind Tunnel at angles of attack of  $0^\circ$ ,  $3^\circ$ ,  $6^\circ$ ,  $9^\circ$ ,  $12^\circ$ , and  $15^\circ$  and Mach numbers of 1.438, 1.544, 1.584, 1.857, 1.986, and 3.01.

It was found that, with increasing angle of attack and constant Mach number, the subsonic region behind the shock wave increased in the lower portion and decreased in the upper portion. With increasing Mach number the subsonic region decreased for all angles of attack. Interaction between the upper and lower portions of the shock wave affects the subsonic region behind the wave, suppressing its appearance on the upper surface, retarding its disappearance from the lower surface.

## TABLE OF CONTENTS

<u>Part</u>	<u>Title</u>	<u>Page</u>
	Acknowledgements	i
	Abstract	ii
	Table of Contents	iii
	List of Figures	iv
	List of Tables	vi
I.	Introduction	1
II.	Equipment and Procedure	2
III.	Results and Discussion	5
IV.	Conclusions	10
	References	11
	Sample Calculations	12
	Tables	14
	Figures	28

## LIST OF FIGURES

<u>Figure No.</u>	<u>Subject</u>	<u>Page</u>
1	Pressure Orifice Location on Models	28
2	Symbols	29
3	Shock Wave Pattern, $M = 1.438$ , Lower	30
4	Shock Wave Pattern, $M = 1.438$ , Upper	31
5	Shock Wave Pattern, $M = 1.544$ , Lower	32
6	Shock Wave Pattern, $M = 1.544$ , Upper	33
7	Shock Wave Pattern, $M = 1.584$ , Lower	34
8	Shock Wave Pattern, $M = 1.584$ , Upper	35
9	Shock Wave Pattern, $M = 1.857$ , Lower	36
10	Shock Wave Pattern, $M = 1.857$ , Upper	37
11	Shock Wave Pattern, $M = 1.986$ , Lower	38
12	Shock Wave Pattern, $M = 1.986$ , Upper	39
13	Shock Wave Pattern, $M = 3.01$ , Lower	40
14	Shock Wave Pattern, $M = 3.01$ , Upper	41
15	Shock Wave Pattern, $\alpha = 0^\circ$ , Upper and Lower	42
16	Shock Wave Pattern, $\alpha = 3^\circ$ , Lower	43
17	Shock Wave Pattern, $\alpha = 3^\circ$ , Upper	44
18	Shock Wave Pattern, $\alpha = 6^\circ$ , Lower	45
19	Shock Wave Pattern, $\alpha = 6^\circ$ , Upper	46

## LIST OF FIGURES (continued)

<u>Figure No.</u>	<u>Subject</u>	<u>Page</u>
20	Shock Wave Pattern, $\alpha = 9^\circ$ , Lower	47
21	Shock Wave Pattern, $\alpha = 9^\circ$ , Upper	48
22	Shock Wave Pattern, $\alpha = 12^\circ$ , Lower	49
23	Shock Wave Pattern, $\alpha = 12^\circ$ , Upper	50
24	Shock Wave Pattern, $\alpha = 15^\circ$ , Lower	51
25	Shock Wave Pattern, $\alpha = 15^\circ$ , Upper	52
26	Maximum Flow Deflection (Taylor-Maccoll Theory)	53
27	Surface Pressure Distribution, $M = 1.584$	54
28	Schlieren Picture, $M = 1.544$ , $\alpha = 0^\circ$	55
29	Schlieren Picture, $M = 1.544$ , $\alpha = 15^\circ$	55
30	Schlieren Picture, $M = 1.584$ , $\alpha = 0^\circ$	56
31	Schlieren Picture, $M = 1.584$ , $\alpha = 15^\circ$	56
32	Schlieren Picture, $M = 1.857$ , $\alpha = 0^\circ$	57
33	Schlieren Picture, $M = 1.857$ , $\alpha = 15^\circ$	57

## LIST OF TABLES

<u>Table No.</u>	<u>Title</u>	<u>Page</u>
I	Tabulation of Mach Number Behind Shock, M = 1.438	14
II	Tabulation of Mach Number Behind Shock, M = 1.544	17
III	Tabulation of Mach Number Behind Shock, M = 1.584	20
IV	Tabulation of Mach Number Behind Shock, M = 1.857	23
V	Tabulation of Mach Number Behind Shock, M = 1.986	25
VI	Tabulation of Mach Number Behind Shock, M = 3.01	26
VII	Condition of Shock	27

## I. INTRODUCTION

The theoretical inquiry into the flow around a solid cone at an angle of attack moving with a velocity greater than that of sound, has not advanced to a point where the behavior of the shock waves can be predicted as the cone angle of attack is varied. As a matter of fact, only two cases have so far been found where the motion of a gas at supersonic speed in three-dimensions can, without objectionable simplification be discussed mathematically: the radial outward flow produced by a uniformly expanding sphere; and the flow around a solid cone at zero angle of attack.

Previous investigations, (Cf. Ref. 1 and 2), have covered detached shock shapes, pressure distribution on cone surface, and Mach numbers behind the shock for corresponding cones and Mach numbers at zero angle of attack.

The intent of this investigation was to determine experimentally the shape of the shock wave and associated characteristics caused by the presence of a finite cone at various angles of attack in supersonic flow. The detached shocks and those attached shocks, where there was a possibility of detachment occurring at angle of attack, were of primary concern. Also of prime interest was the subsonic flow region behind the shock. One set of pressure measurements at the surface of the cone was taken at a Mach number of 1.584 for angle of attack of zero and twelve degrees.



## II. EQUIPMENT AND PROCEDURE

The models used for this investigation were machined from brass,  $3/8$ " in diameter and had a cone angle of  $70^\circ$ . Six cone models were used during the course of the investigation, each with a pressure orifice located on the conical surface at varying distances from the nose. A sketch of the cone model with dimensions and location of orifices is shown in Fig. 1. All six cone models were identical except for the location of the pressure orifice.

The investigation was carried out in the GALCIT 2.5" Supersonic Wind Tunnel, (Cf. Ref. 3). The model was supported by a sting which could be varied in angle of attack from  $-3^\circ$  to  $+15^\circ$ , but could not be varied in yaw. A flexible nozzle, (Cf. Ref. 1), was used for Mach numbers of 1.438, 1.544, and 1.857. For Mach numbers of 1.584, 1.986, and 3.01 fixed steel nozzle blocks were used. In the case of the flexible nozzle, the nozzle shapes were determined by Puckett's Method, (Cf. Ref. 4).

Calibration of the test section Mach number was accomplished by a static pressure survey along the nozzle centerline in connection with a reference static pressure taken at the test section wall. The centerline survey was made by means of a 0.065" outside diameter tubing with a static orifice. The tubing was fixed with respect to horizontal and vertical movement but was capable of axial movement. In order to

eliminate the measurement of small changes in low pressure, taken along the centerline of the test section, against relatively high atmospheric pressure, the test section centerline static pressure was measured against the reference static pressure. The reference pressure was also measured against atmospheric pressure; then, by subtracting the difference between reference and centerline pressures from the reference pressure, the centerline static pressure was obtained.

The model's zero angle of attack was determined in the following manner. With the model orifice on top, pressure readings were taken at several angles of attack. The model orifice was then switched to the bottom and pressure readings were taken at the same angles of attack. A plot was then made of pressure readings versus angle of attack. Zero angle of attack is given by the intersection of the curves for the orifice on top and the orifice on the bottom.

During all tests the relative humidity of the tunnel was held within .02 to .04 percent by a silica-gel dryer in the tunnel circuit.

Following the calibration of the test section Mach number and model angle of attack the flow field around the model, at angles of attack from  $0^\circ$  to  $15^\circ$  in  $3^\circ$  increments, was photographed by means of schlieren apparatus.

A pressure survey of the cone surface was taken at a Mach number of 1.584 for angles of attack of  $0^\circ$  and  $12^\circ$ , (Cf. Fig. 27).

The shock wave patterns in dimensionless form were obtained in the following manner. The negatives of the schlieren photographs were projected on graph paper by means of a photo-enlarger. The photo-enlarger was adjusted so that the diameter of the model was equal to a  $Y/D$  of one on the selected scale, and the shock wave pattern was traced on graph paper. The shock wave patterns for several angles of attack, for one particular Mach number, were superimposed on the same sheet. This procedure was followed for all Mach numbers. The same procedure was also followed in obtaining the shock wave patterns for all Mach numbers at a particular angle of attack. These tracings were used to obtain the final dimensionless curves. By use of this method it was hoped to minimize, in so far as possible, errors associated with transcribing the shock wave patterns to dimensionless coordinates.

## III. RESULTS AND DISCUSSION

The principal results are presented as dimensionless plots of the shock wave patterns plotted relative to the cone axis rather than to the flow direction. The first series of plots are at constant Mach numbers with angle of attack varying, (Cf. Figs. 3 to 14). The second series are at constant angle of attack with Mach numbers varying, (Cf. Figs. 15 to 25). A third method of presenting the results is a tabulation of the local Mach number directly behind the shock in the subsonic region for each Mach number and angle of attack, (Cf. Tables I to VI). From these tables, the position at which the Mach number behind the shock wave becomes sonic and the position of the normal shock was obtained. This data was indicated on the shock wave plots, where these points were of interest.

A surface pressure survey was taken over both upper and lower cone surfaces at a Mach number of 1.584 for angles of attack of  $0^\circ$  and  $12^\circ$ , (Cf. Fig. 1 and Fig. 27).

Fig. 2 defines the symbols used in the graphical and tabular presentation of the results.

The dimensionless form of the shock wave patterns was obtained by using the cone diameter as the characteristic dimension. Particular attention was given in obtaining the shock wave pattern shape near the nose of the cone; since, in the case of varying angle of attack and

constant Mach number, it was found that some of the shock patterns crossed in this region.

The shock wave patterns for constant Mach number show that close to the nose of the cone the shocks do not have a uniform spread with equal increments in angle of attack; as the vertical distance from the nose of the cone increases the spread becomes regular. It is also clearly shown that with increasing angle of attack the shock wave patterns associated with the upper surface of the cone straighten and assume attached shock characteristics, i.e., no subsonic zone behind shock; while those associated with the lower surface increase in curvature and assume detached characteristics, i.e., a subsonic zone behind shock. This is more clearly brought out by the Mach number survey directly behind the shock.

The variation of shock shapes with Mach number at constant angle of attack are a cross-plot of the previously discussed curves. It is clearly indicated that although the lower portion of the shock waves gradually change their characteristics from attached to detached, those shocks initially attached to the nose of the cone apparently remain attached and those initially detached remain detached.

The Mach number directly behind the shock wave at any point was determined from two-dimensional oblique shock theory by measuring the angle between the shock wave and the flow direction, (Cf. Tables I to VI).

At  $0^\circ$  angle of attack the subsonic zone was symmetrical with respect to the cone axis. For increasing angle of attack, at constant Mach number, the subsonic region increased in the lower and decreased in the upper portion of the flow, the rate of decrease being faster than the rate of increase. For constant angle of attack and varying Mach number, the subsonic zone decreases in both the lower and upper portions of the flow.

The Taylor-Maccoll Theory for conical shocks, (Cf. Ref. 5), may be used here as a basis of comparison, if it is assumed:

1. That the upper and lower surfaces of the cone may be considered separately.
2. That the angle between the flow direction and the cone surface may be considered as the half-vertex angle of a fictitious cone.

Maximum flow deflection for an initial Mach number, as predicted by the Taylor-Maccoll Theory, is plotted in Fig. 26. The condition of the upper and lower portions of the shock wave for each Mach number is presented in Table VII.

Taking first the lower shock wave pattern at zero angle of attack and increasing Mach numbers, the shock wave has detached characteristics until a Mach number between 1.584 and 1.857 is reached. At some point between these two Mach numbers it assumes attached characteristics. This agreed with the Taylor-Maccoll Theory. The results also agree for

$3^\circ$  angle of attack. At  $6^\circ$  angle of attack corresponding to a half-vertex angle of  $41^\circ$  the Taylor-Maccoll Theory gives as the minimum Mach number for an attached shock wave 2.03. Experimental results indicate a subsonic region in the flow field behind the lower portion of the shock wave at  $6^\circ$  angle of attack for Mach numbers to 1.857. The lower portion of the shock wave at a Mach number of 1.986 does not have a subsonic region; thus, it assumes attached characteristics. A subsonic region, behind the lower portion of the shock wave, for a Mach number of 1.986 does not appear until an angle of attack of  $9^\circ$  is reached. The subsonic region behind the lower portion of the shock wave increase with increasing angle of attack.

For a Mach number of 3.01 the conical shock theory predicts that shock detachment will occur at a half-vertex angle of something less than  $50^\circ$ , corresponding to an angle of attack of less than  $15^\circ$ . However, at an angle of attack of  $15^\circ$  the shock wave still had attached characteristics.

Considering the upper shock, for which this fictitious half-vertex angle can be considered as decreasing with angle of attack, experimental results indicate that the subsonic regions, if initially present, did not disappear for the range of angles of attack investigated. From the conical shock theory at an angle of attack of approximately  $6^\circ$  the shock should become attached for the Mach numbers under consideration.

As a result of the above discussion, it is evident that interaction occurs between the upper and lower portions of the shock wave at angles of attack. The interaction causes the disappearance of the subsonic region behind the upper shock wave to be delayed and to also delay the disappearance of the supersonic region behind the lower shock wave as the angle of attack is increased.

The pressure measurements for a detached shock, at a Mach number of 1.584, were reduced to the non-dimensional form  $p_s/p_0'$ ;  $p_0'$  being the reservoir pressure behind the shock wave at the nose of the cone. Pressure measurements were taken on both upper and lower surfaces at  $0^\circ$  and  $12^\circ$  angles of attack.

The plots at constant Mach number and varying angle of attack, for which the shock waves are detached, indicate that the subsonic zone behind the shock wave is decreased with angle of attack.



## IV. CONCLUSIONS

The following conclusions can be drawn from the results of this investigation:

1. At angle of attack there is a definite interaction between the upper and lower portions of the shock wave.
2. The shock wave if initially attached to the cone remained attached even with the appearance of mixed flow behind the shock, for the range of angles of attack tested.

## REFERENCES

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## SAMPLE CALCULATIONS

## A. Determination of Mach number in test section:

$p_{0g}$  = gauge reservoir pressure

$p_2$  = reference wall static orifice pressure

$p_{2g}$  = gauge reference pressure

$p_x$  = nozzle centerline static orifice pressure.

## Density conversion factors:

1 cm. acetylene tetrabromide = .2188 cm. hg.

1 cm. silicone = .0695 cm. hg.

$$\frac{p_x}{p_o} = \frac{p_2}{p_o} - \frac{p_2 - p_x}{p_o}$$

Orifice position	1.8"
$p_{0g}$	103.0 cm. acetylene tetrabromide
$p_a$	93.3 cm. acetylene tetrabromide
$p_{0g} - p_a$	9.7 cm. acetylene tetrabromide
.2188 ( $p_{0g} - p_a$ )	2.12 cm. hg.
Barometer	74.57 cm. hg.
$p_o$	72.45 cm. hg.
$p_a$	73.15 cm. hg.
$p_{2g}$	129.6 cm. hg.
$p_a - p_{2g}$	56.45 cm. hg.
$p_2$	18.12 cm. hg.

$p_2/p_a$ (av.)	.2487
$p_2$	69.6 cm. silicone
$p_x$	64.0 cm. silicone
$p_2 - p_x$	-6.6 cm. silicone
$.0695 (p_2 - p_x)$	-.389 cm. hg.
$.0695 (p_2 - p_x)/p_o$	-.00537
$p_x/p_o$	.2541
M	1.544

B. Determination of  $p_s/p_o'$ ,  $M = 1.584$

$p_s$  = surface pressure on cone

$p_o'$  = reservoir pressure behind normal shock

$$p_s/p_o' = \frac{p_s}{p_o} \times \frac{p_o}{p_o'}$$

$p_s/p_o$  was found in the same way as in the determination of the Mach number.

$p_s/p_o$	.591
$p_o/p_o'$	1.109
$p_s/p_o'$	.655
$x'$	.2497"
S	.32"
$x'/X$	.779

TABLE I

M = 1.438

<u><math>\alpha = 0^\circ</math></u>		<u><math>\alpha = 3^\circ</math></u>			
Upper and Lower		Upper		Lower	
<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>
0	.730	0	.730	0	.736
.2	.780	.2	.808	.03	.735
.4	.825	.4	.865	.2	.769
.6	.865	.6	.895	.4	.822
.8	.905	.8	.942	.6	.865
1.0	.942	1.0	.990	.8	.900
1.2	.974	1.12	1.000	1.0	.927
1.4	.999			1.2	.958
1.41	1.000			1.4	.991
				1.47	1.000

TABLE I (continued)

M = 1.438

<u><math>\alpha = 6^\circ</math></u>				<u><math>\alpha = 9^\circ</math></u>			
Upper		Lower		Upper		Lower	
<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>
0	.748	0	.748	0	.750	0	.750
.2	.800	.04	.735	.2	.835	.09	.735
.4	.885	.2	.760	.4	.895	.2	.765
.6	.920	.4	.817	.6	.920	.4	.795
.8	.960	.6	.860	.8	.955	.6	.815
1.0	.990	.8	.900	1.0	.990	.8	.838
1.08	1.000	1.0	.934	1.02	1.000	1.0	.862
		1.2	.960			1.2	.900
		1.4	.985			1.4	.942
		1.58	1.000			1.59	1.000

TABLE I (continued)

$$\underline{M = 1.438}$$

$\alpha = 12^\circ$				$\alpha = 15^\circ$			
Upper		Lower		Upper		Lower	
Y/D	M <sub>2</sub>	Y/D	M <sub>2</sub>	Y/D	M <sub>2</sub>	Y/D	M <sub>2</sub>
0	.770	0	.770	0	.812	0	.812
.2	.850	.12	.735	.2	.880	.185	.735
.4	.920	.2	.750	.4	.940	.2	.735
.6	.930	.4	.775	.6	.985	.4	.760
.8	.990	.6	.797	.735	1.000	.6	.798
.85	1.000	.8	.860			.8	.845
		1.0	.890			1.0	.894
		1.2	.943			1.2	.937
		1.4	.995			1.4	.975
		1.44	1.000			1.57	1.000

TABLE II

$$\underline{M = 1.544}$$

$\alpha = 0^\circ$		$\alpha = 3^\circ$			
Upper and Lower		Upper		Lower	
<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>
0	.695	0	.700	0	.700
.2	.855	.2	.828	.02	.695
.4	.887	.4	.860	.2	.770
.6	.895	.6	.920	.4	.832
.8	.922	.8	.955	.6	.880
1.0	.970	.98	1.000	.8	.920
1.15	1.000			1.0	.958
				1.17	1.000



TABLE II (continued)

$$\underline{M = 1.544}$$

$\alpha = 6^\circ$				$\alpha = 9^\circ$			
Upper		Lower		Upper		Lower	
Y/D	M <sub>2</sub>	Y/D	M <sub>2</sub>	Y/D	M <sub>2</sub>	Y/D	M <sub>2</sub>
0	.707	0	.707	0	.720	0	.720
.2	.804	.02	.695	.2	.770	.08	.695
.4	.905	.2	.775	.4	.775	.2	.745
.6	.938	.4	.843	.6	.946	.4	.820
.8	.963	.6	.885	.8	.992	.6	.856
1.0	.993	.8	.910	.88	1.000	.8	.900
1.02	1.000	1.0	.960			1.0	.951
		1.12	1.000			1.18	1.000

TABLE II (continued)

$$\underline{M = 1.544}$$

$\alpha = 12^\circ$				$\alpha = 15^\circ$			
Upper		Lower		Upper		Lower	
<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>
0	.730	0	.730	0	.740	0	.740
.2	.910	.075	.695	.2	.825	.1	.695
.4	.953	.2	.730	.4	.965	.2	.710
.6	.972	.4	.780	.47	1.000	.4	.770
.68	1.000	.6	.835			.6	.827
		.8	.876			.8	.882
		1.0	.925			1.0	.934
		1.2	1.000			1.2	.990
						1.22	1.000

TABLE III

$M = 1.584$

<u><math>\alpha = 0^\circ</math></u>		<u><math>\alpha = 3^\circ</math></u>			
Upper and Lower		Upper		Lower	
<u>Y/D</u>	<u><math>M_2</math></u>	<u>Y/D</u>	<u><math>M_2</math></u>	<u>Y/D</u>	<u><math>M_2</math></u>
0	.685	0	.690	0	.690
.2	.867	.2	.912	.02	.685
.4	.912	.4	.952	.2	.815
.6	.925	.6	.960	.4	.880
.8	.949	.8	.990	.6	.918
.94	1.000	.83	1.000	.8	.953
				1.0	.980
				1.06	1.000

TABLE III (continued)

M = 1.584

<u><math>\alpha = 6^\circ</math></u>				<u><math>\alpha = 9^\circ</math></u>			
Upper		Lower		Upper		Lower	
<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>
0	.695	0	.695	0	.705	0	.705
.2	.940	.02	.685	.2	.990	.08	.685
.4	.947	.2	.800	.4	.996	.2	.735
.6	.969	.4	.830	.55	1.000	.4	.800
.75	1.00	.6	.853			.6	.846
		.8	.933			.8	.900
		1.0	.990			1.0	.968
		1.035	1.000			1.17	1.000

TABLE III (continued)

$$M = 1.584$$

<u><math>\alpha = 12^\circ</math></u>				<u><math>\alpha = 15^\circ</math></u>			
Upper		Lower		Upper		Lower	
<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>	<u>Y/D</u>	<u>M<sub>2</sub></u>
0	.700	0	.715	0	.730	0	.730
.2	.970	.07	.685	.2	.975	.08	.685
.3	1.000	.2	.732	.23	1.000	.2	.740
		.4	.790			.4	.780
		.6	.837			.6	.800
		.8	.885			.8	.851
		1.0	.958			1.0	.920
		1.16	1.000			1.14	1.000

TABLE IV

M = 1.857 $\alpha = 0^\circ$ 

Upper and Lower

Supersonic

 $\alpha = 3^\circ$ 

Upper and Lower

Supersonic

 $\alpha = 6^\circ$ 

Upper

Lower

Y/DM<sub>2</sub>

Supersonic

0

.755

.2

.890

.4

.970

.6

.995

.62

1.000

 $\alpha = 9^\circ$ 

Upper

Lower

Y/DM<sub>2</sub>

Supersonic

0

.830

.2

.850

.4

.920

.6

.970

.67

1.000

TABLE IV (continued)

$M = 1.857$

<u><math>\alpha = 12^\circ</math></u>			<u><math>\alpha = 15^\circ</math></u>		
Upper	Lower		Upper	Lower	
	<u>Y/D</u>	<u><math>M_2</math></u>		<u>Y/D</u>	<u><math>M_2</math></u>
Supersonic	0	.70	Supersonic	0	.625
	.2	.78		.2	.760
	.4	.85		.4	.790
	.6	.93		.6	.867
	.75	1.00		.8	.970
				.83	1.000

TABLE V

$M = 1.986$

<u><math>\alpha = 0^\circ</math></u>		<u><math>\alpha = 3^\circ</math></u>	
Upper and Lower		Upper and Lower	
Supersonic		Supersonic	
<u><math>\alpha = 6^\circ</math></u>		<u><math>\alpha = 9^\circ</math></u>	
Upper and Lower		Upper	Lower
Supersonic			Y/D <u><math>M_2</math></u>
		Supersonic	0    .960
			.2    .960
			.4    .960
			.6    .972
			.64 1.000
<u><math>\alpha = 12^\circ</math></u>		<u><math>\alpha = 15^\circ</math></u>	
Upper	Lower	Upper	Lower
	Y/D <u><math>M_2</math></u>		Y/D <u><math>M_2</math></u>
Supersonic	0    .830	Supersonic	0    .790
	.2    .860		.2    .810
	.4    .895		.4    .845
	.6    .970		.6    .866
	.68 1.000		.775 1.000



## TABLE VI

M = 3.01

Flow was supersonic behind shock  
at all angles of attack investigated.

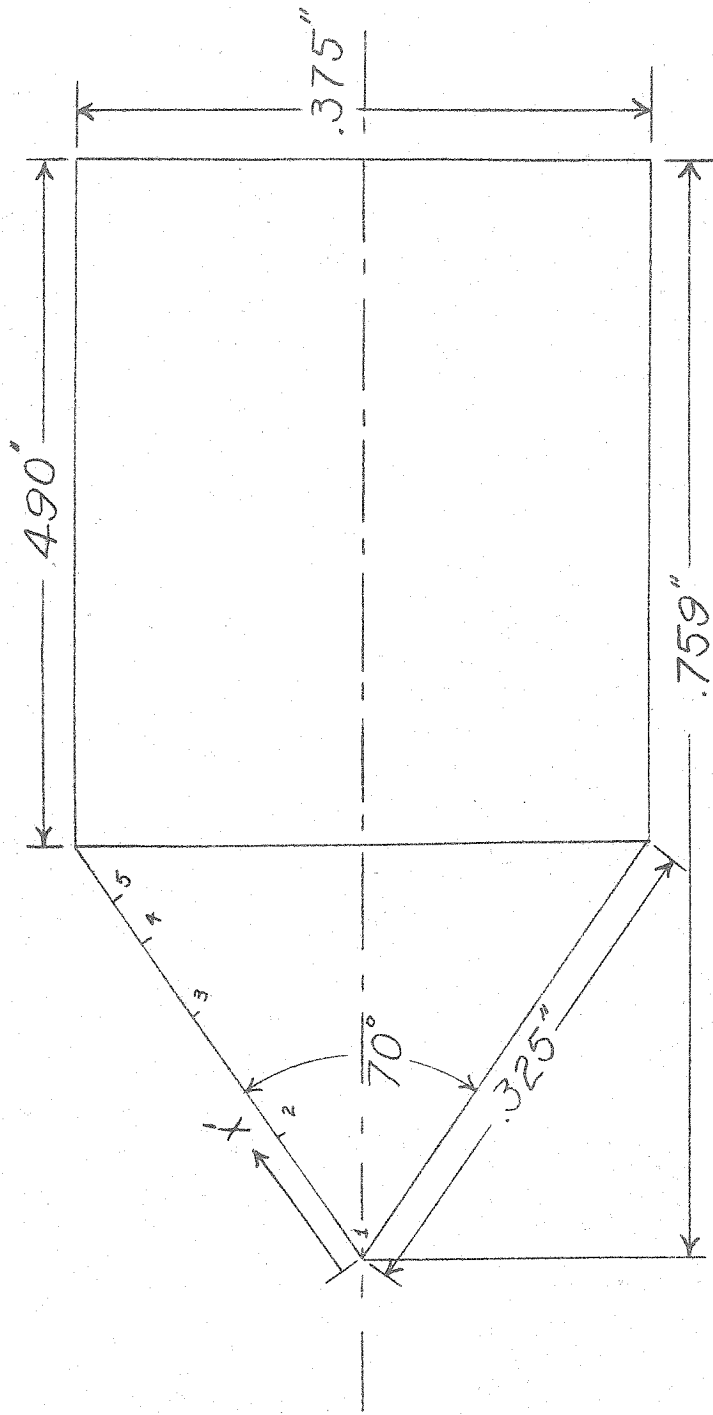
TABLE VII

CONDITION OF SHOCK

		0°	3°	6°	9°	12°	15°
M = 1.438	Upper	D	D	D	D	D	D
	Lower	D	D	D	D	D	D
M = 1.544	Upper	D	D	D	D	D	D
	Lower	D	D	D	D	D	D
M = 1.584	Upper	D	D	D	D	D	D
	Lower	D	D	D	D	D	D
M = 1.857	Upper	A	A	A	A	A	A
	Lower	A	A	D	D	D	D
M = 1.986	Upper	A	A	A	A	A	A
	Lower	A	A	A	D	D	D
M = 3.01	Upper	A	A	A	A	A	A
	Lower	A	A	A	A	A	A

Note: D detached shock characteristics

A attached shock characteristics



Core No.	X'
1	.000"
2	.097"
3	.193"
4	.250"
5	.284"

FIG. 1  
 PRESSURE ORIFICE LOCATION  
 ON MODELS  
 Scale 8" = 1"

FIG. 2  
SYMBOLS

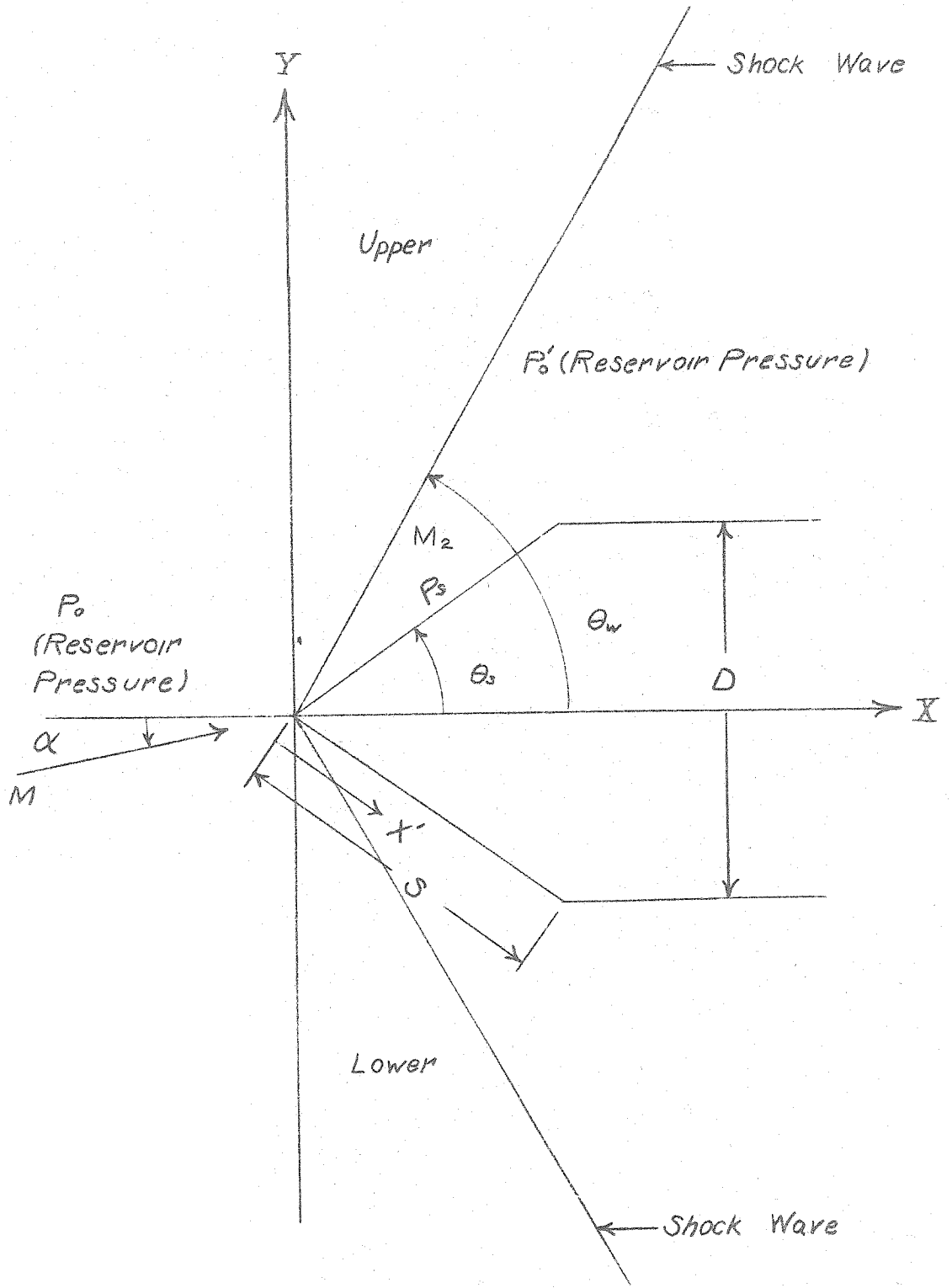


FIG. 3  
M = 1.438  
LOWER

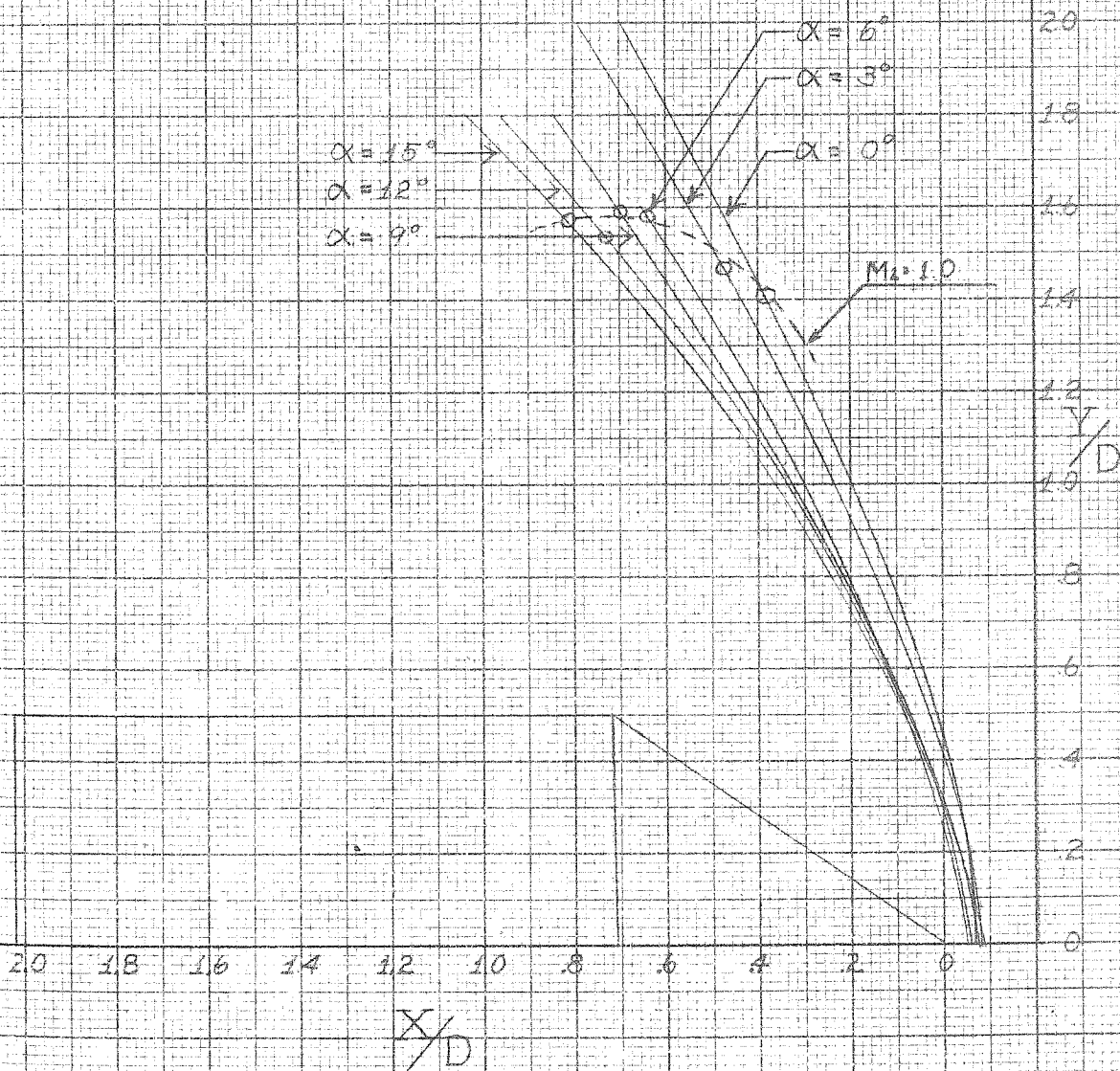


FIG 4  
M = 1.438  
UPPER

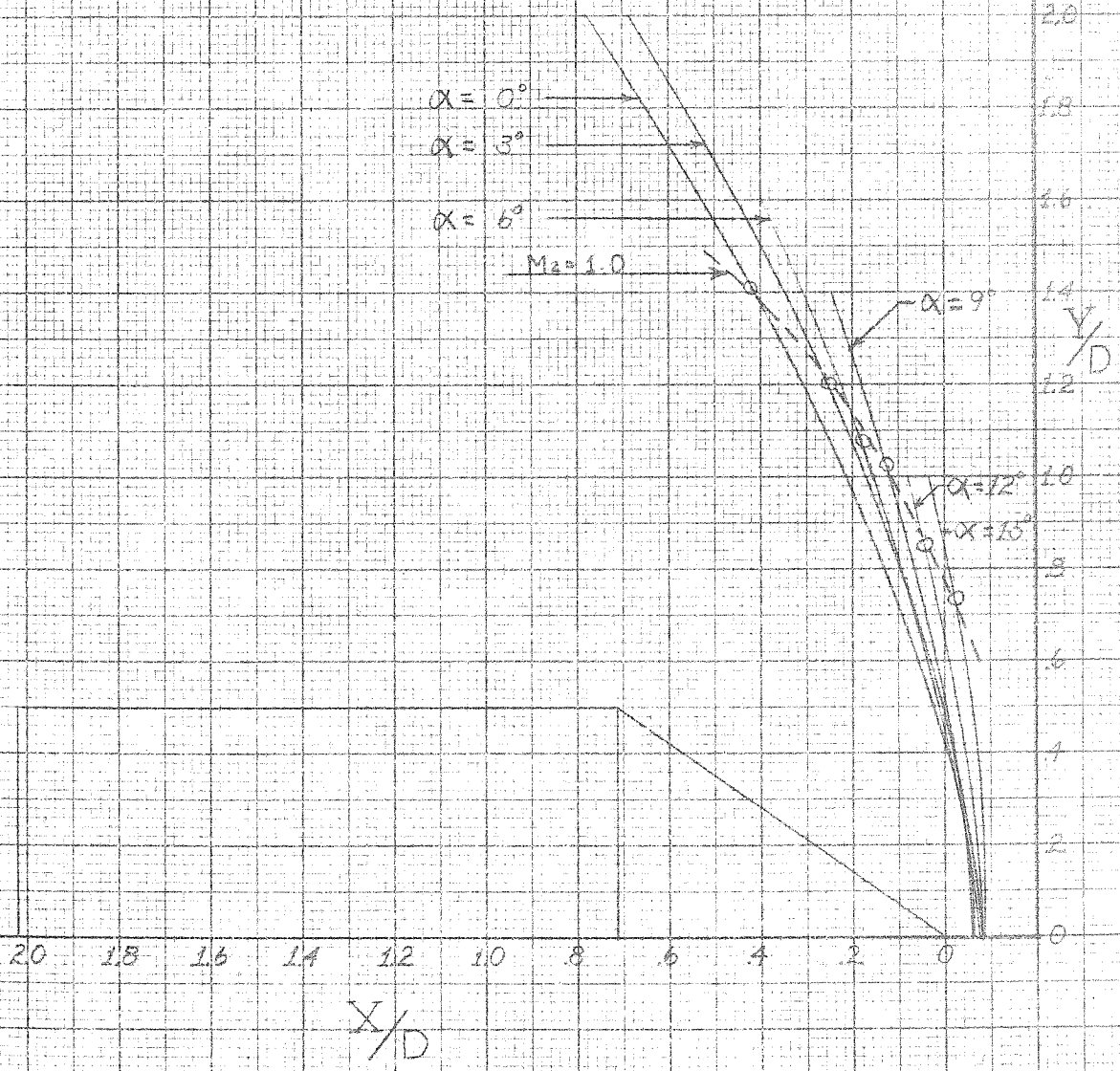


FIG 5  
M = 1.544  
LOWER

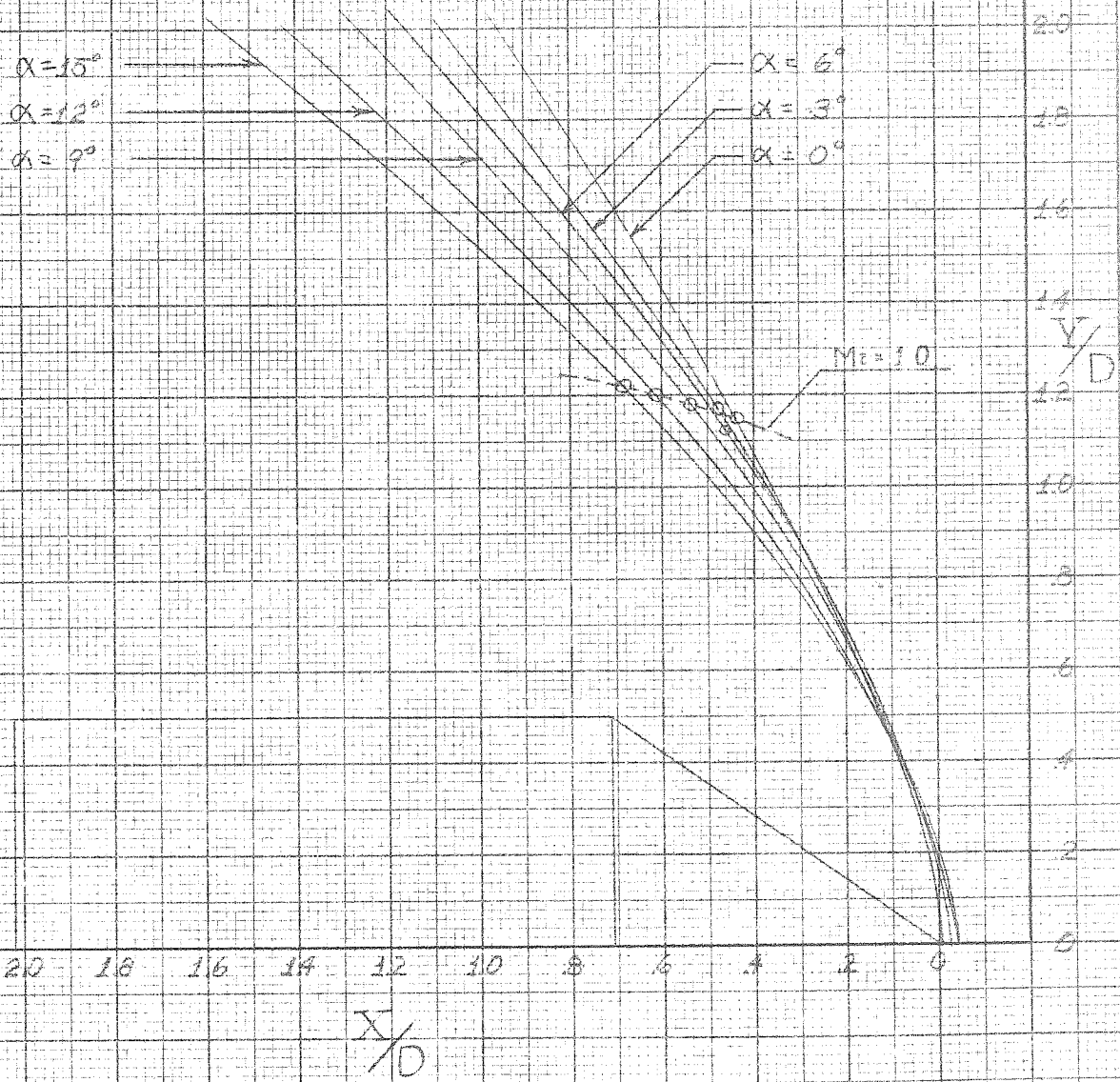


FIG. 6  
M = 1.544  
UPPER

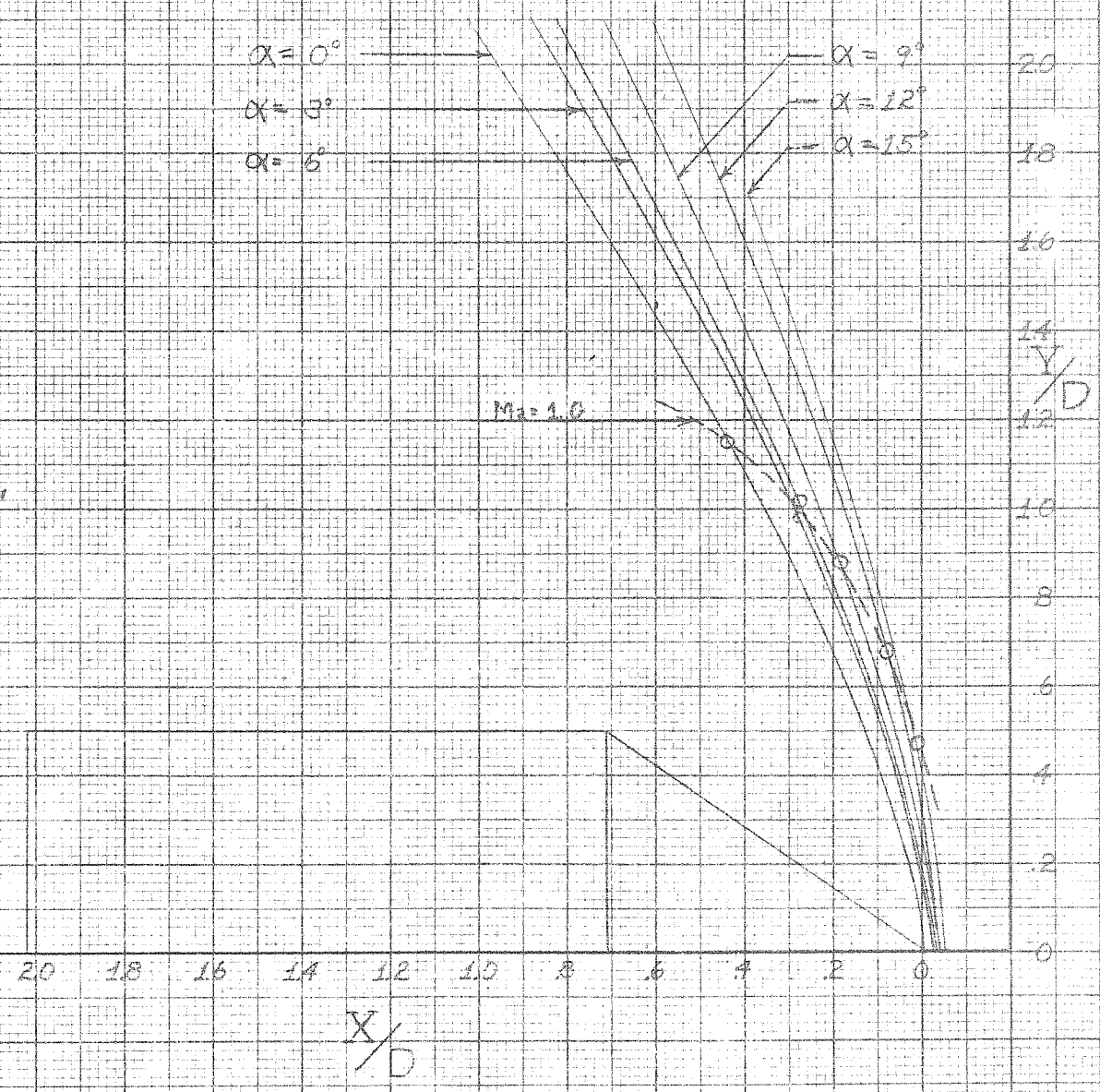




FIG. 7  
M = 1.584  
LOWER

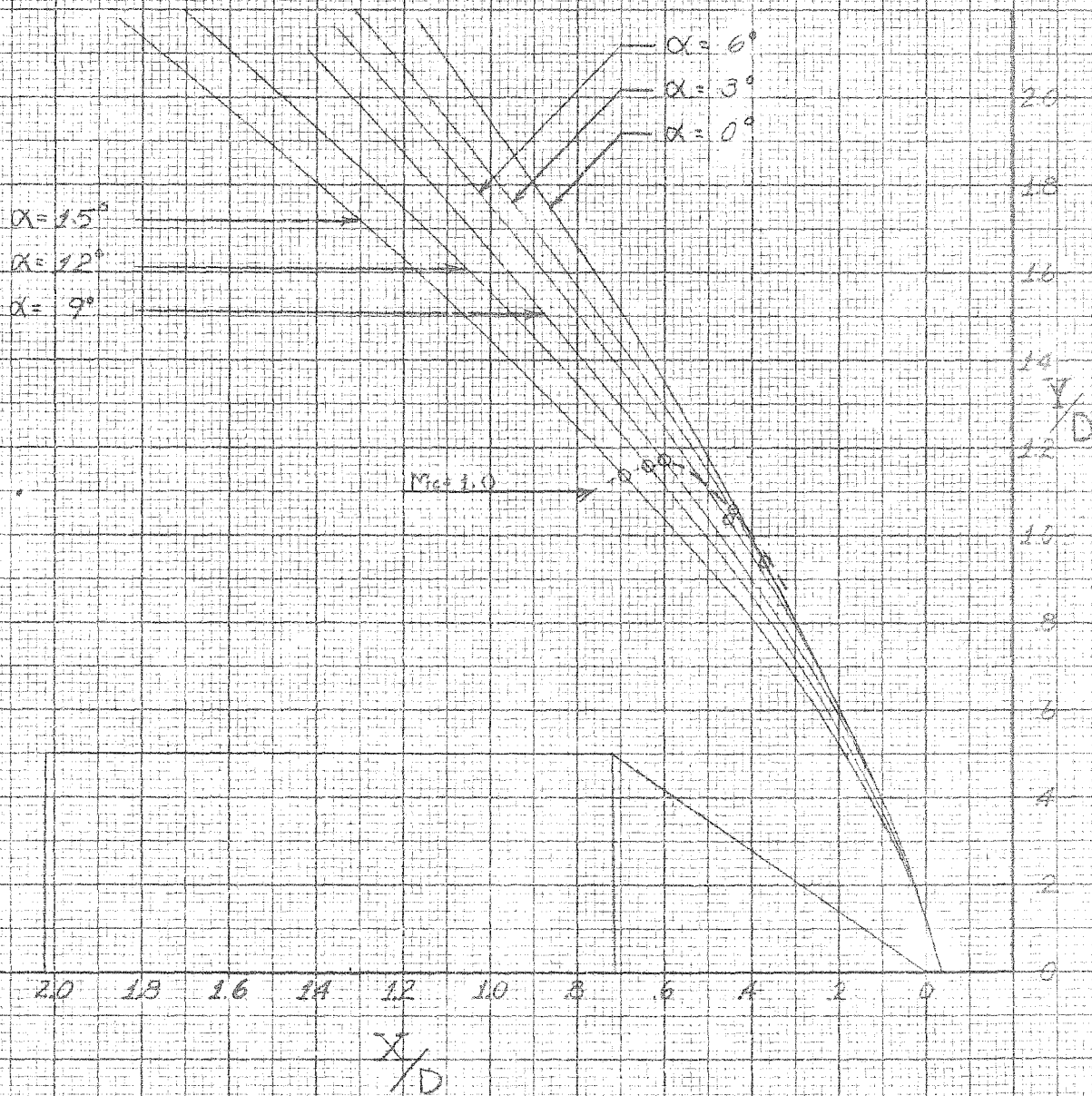


FIG 8  
M = 1.584  
UPPER

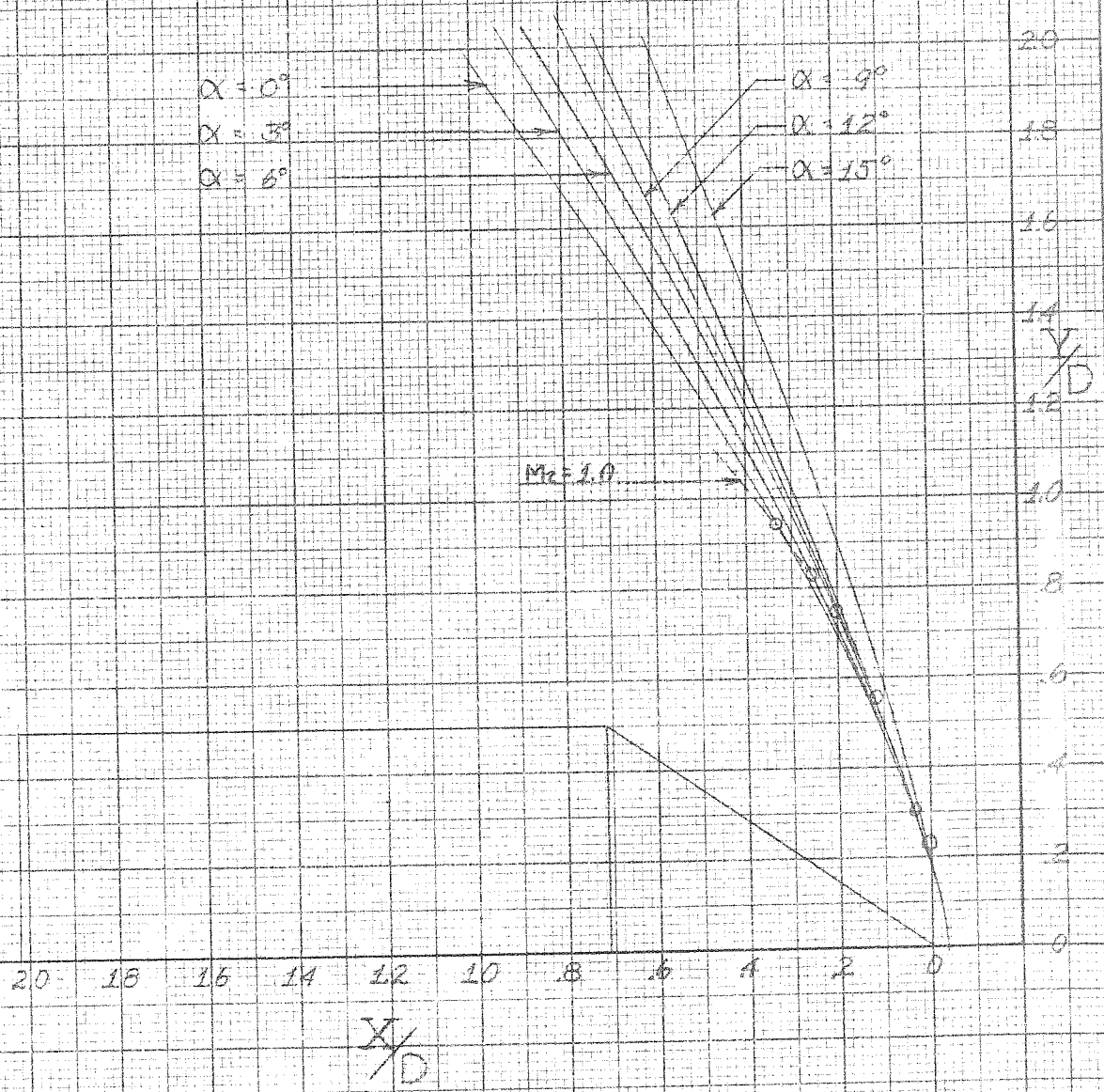


FIG 9  
M=1.857  
LOWER

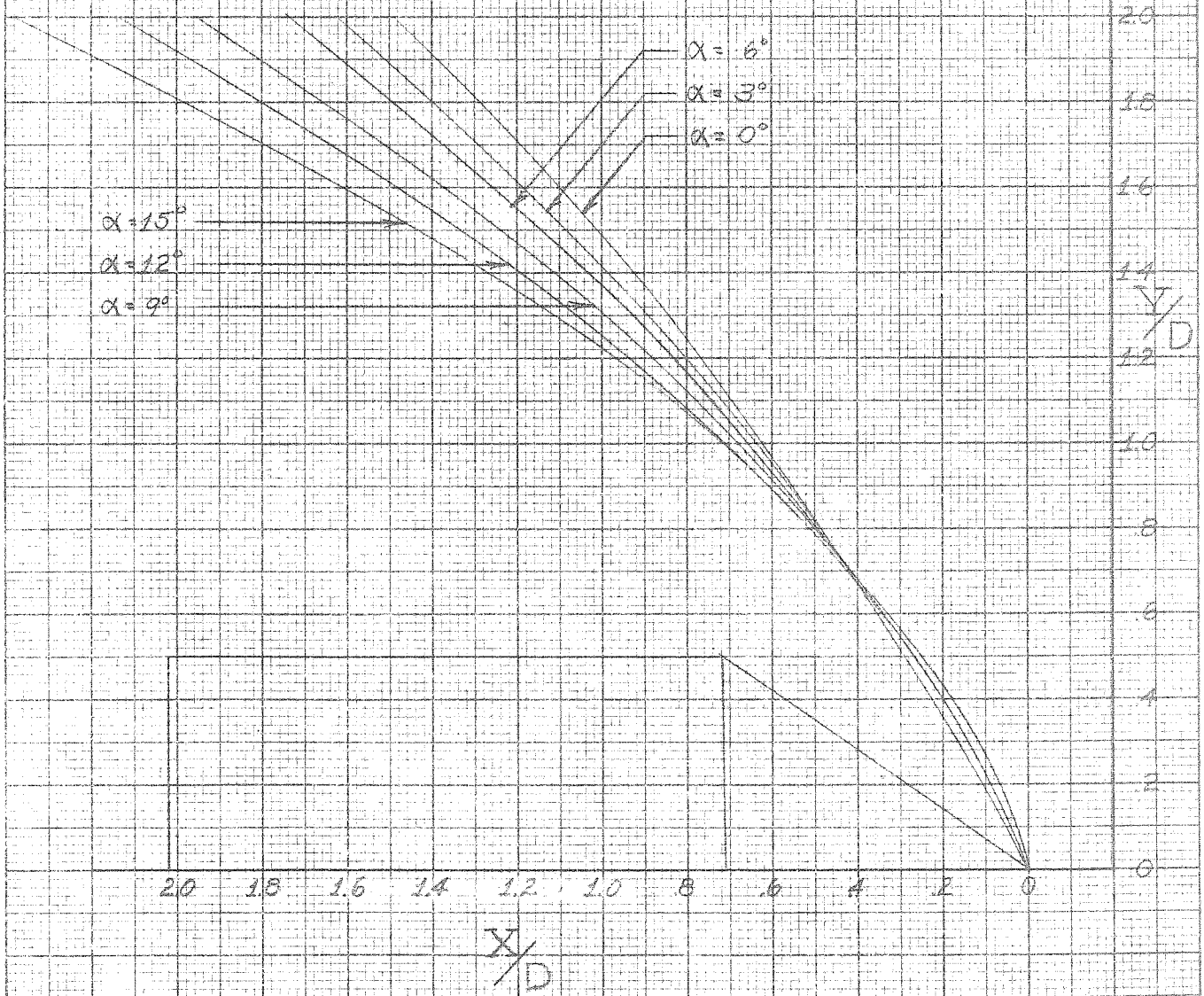


FIG 10  
M = 1857  
UPPER

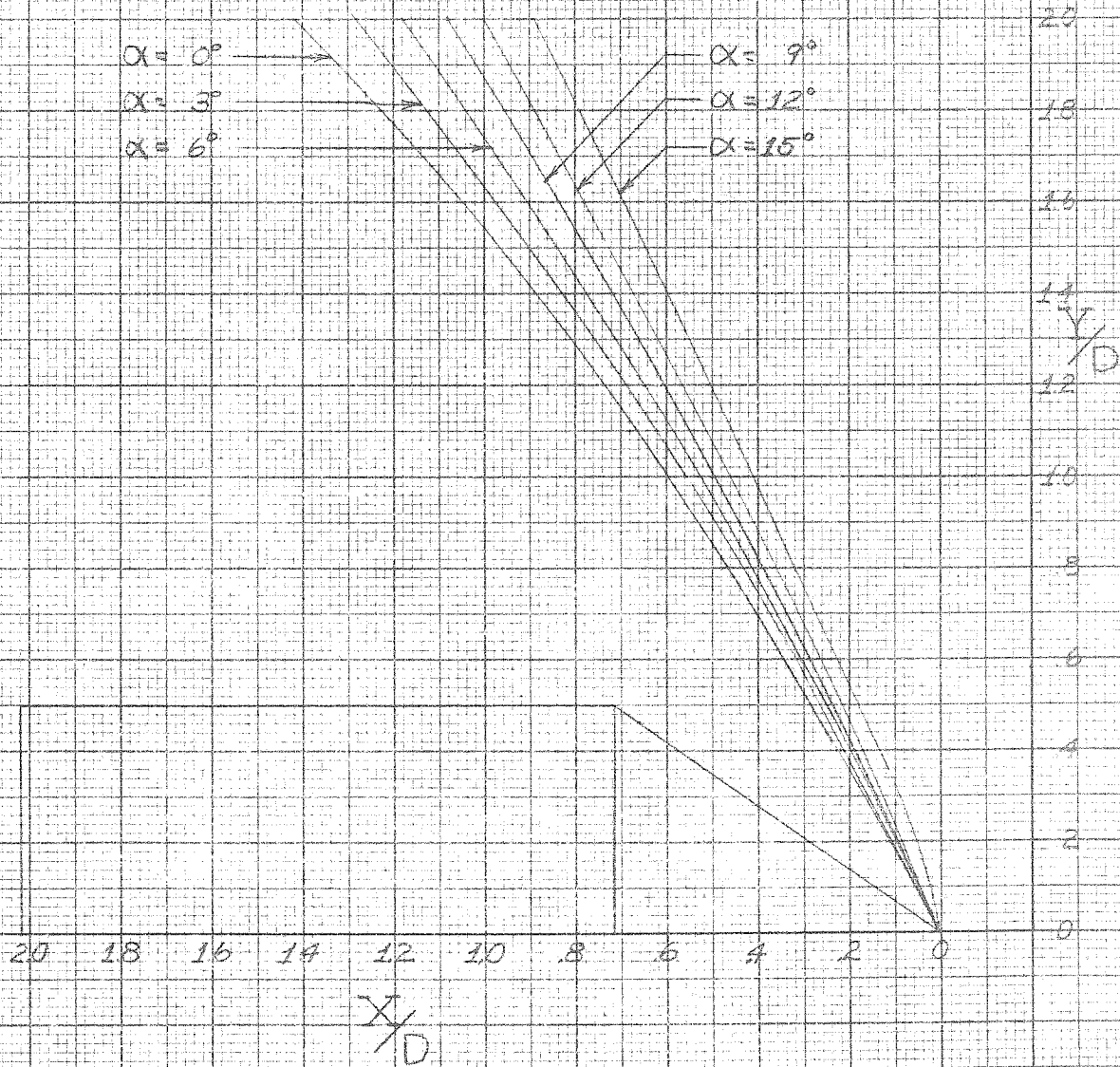


FIG. 11  
M = 1.986  
LOWER

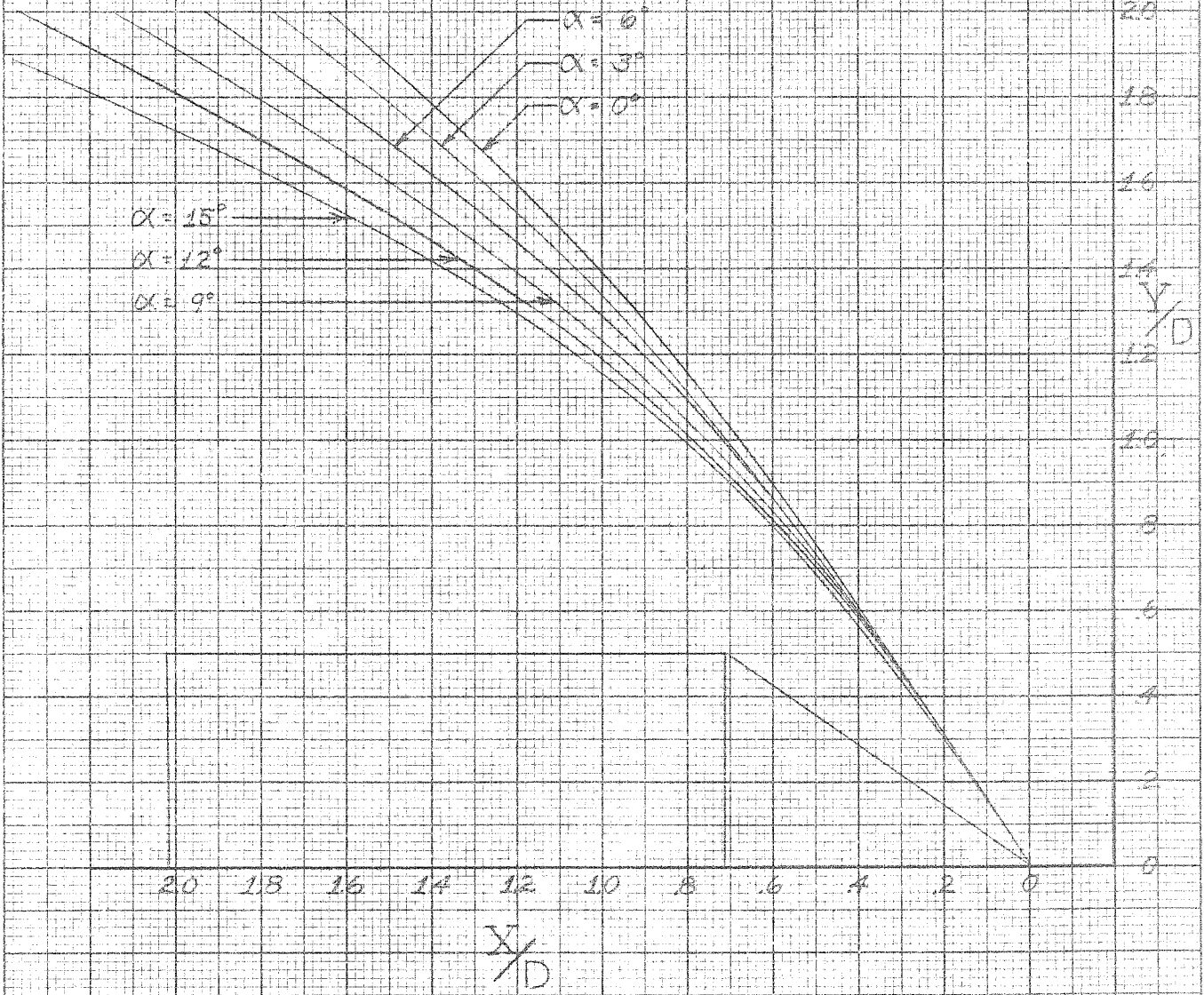


FIG 12  
M = 1.986  
UPPER

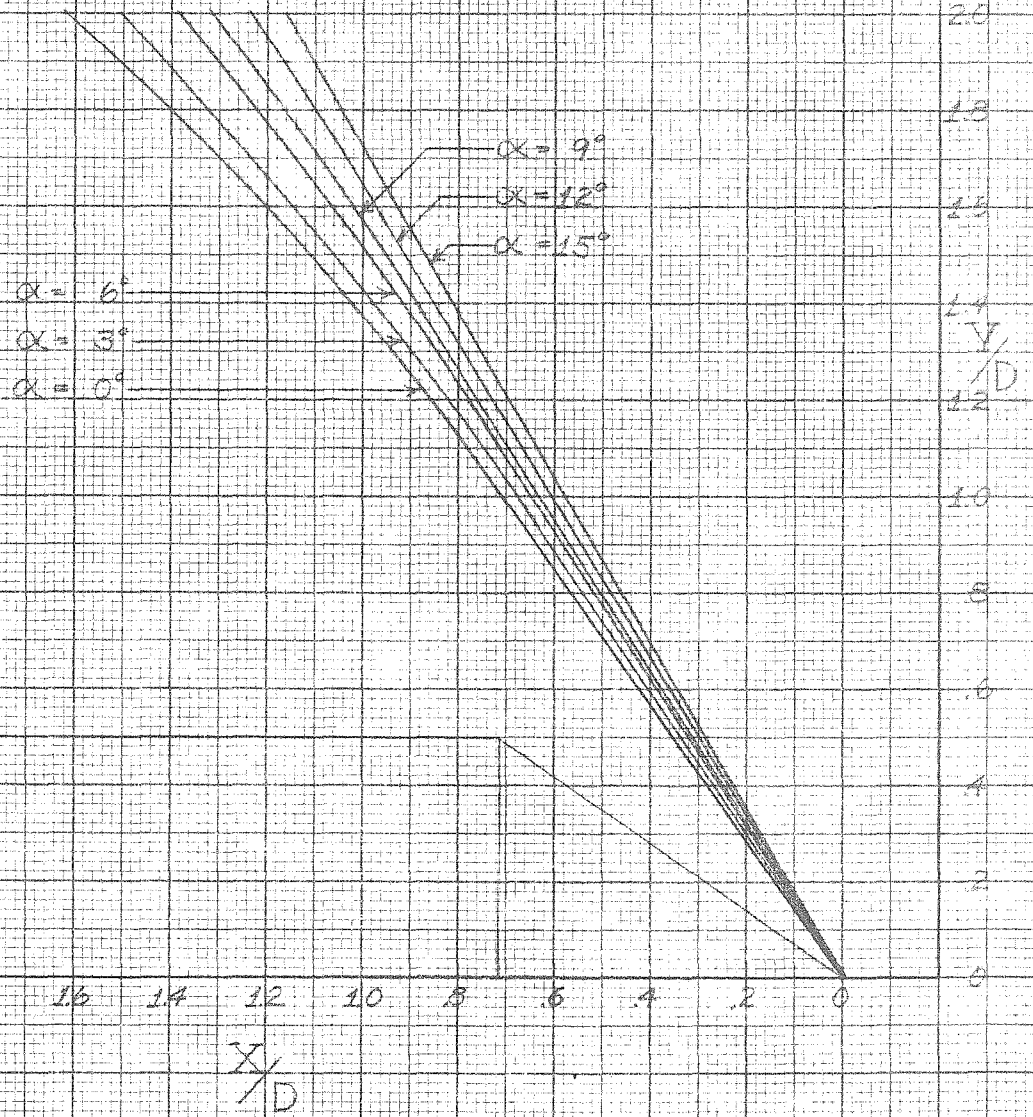


FIG. 13  
M = 3.02  
LOWER

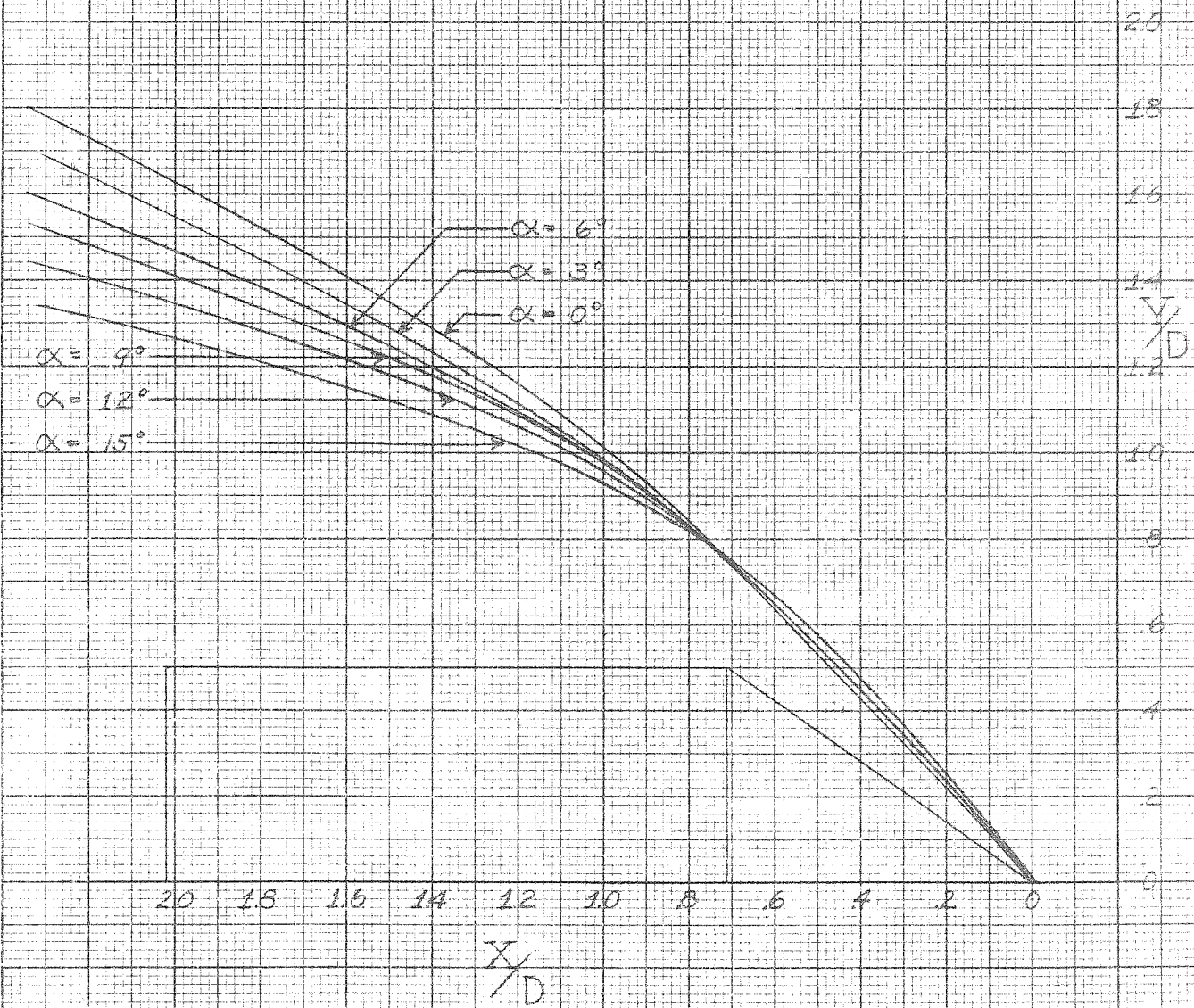


FIG. 14  
M=3.01  
UPPER

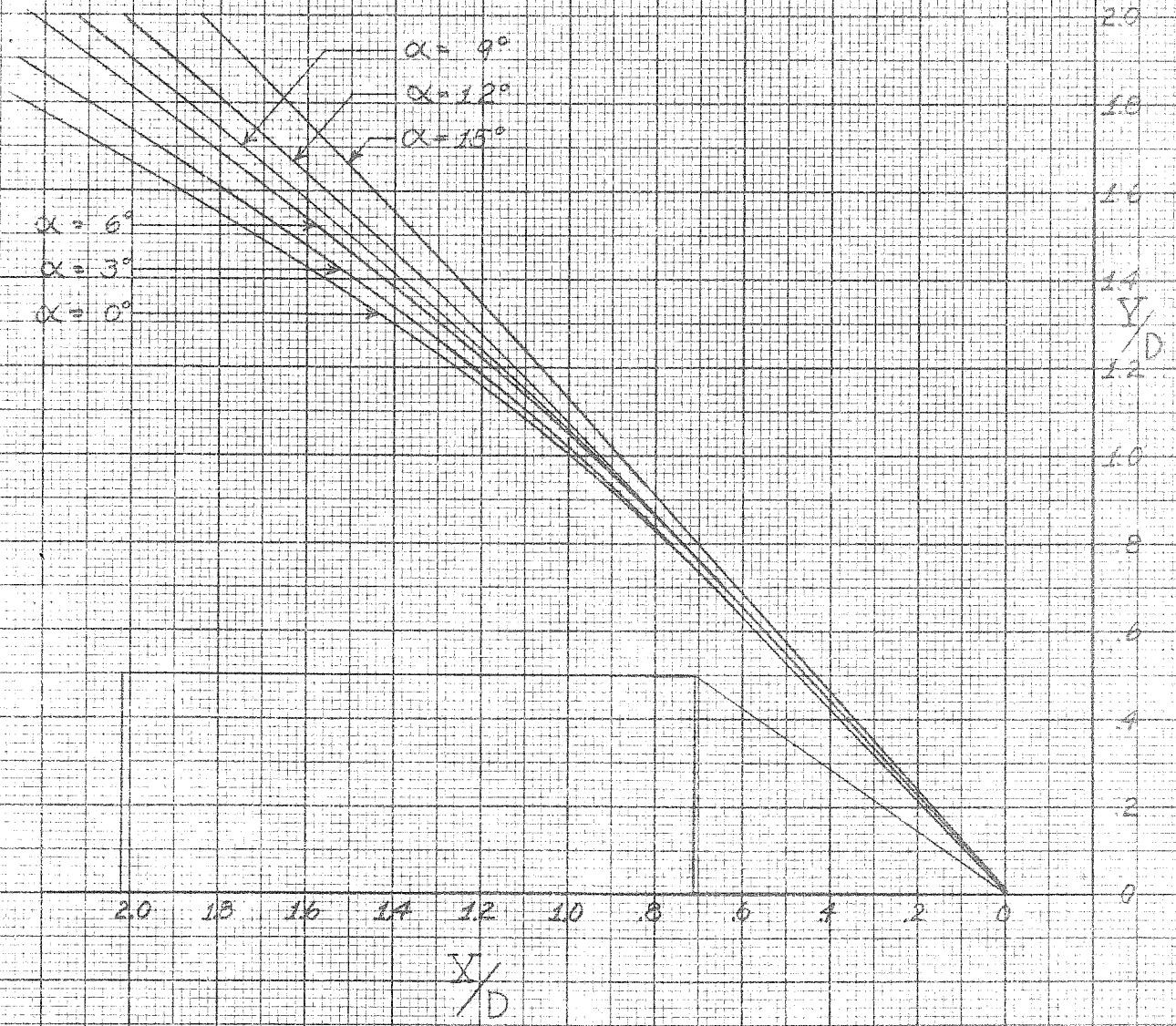




FIG. 15  
 $\alpha = 0^\circ$   
UPPER AND LOWER

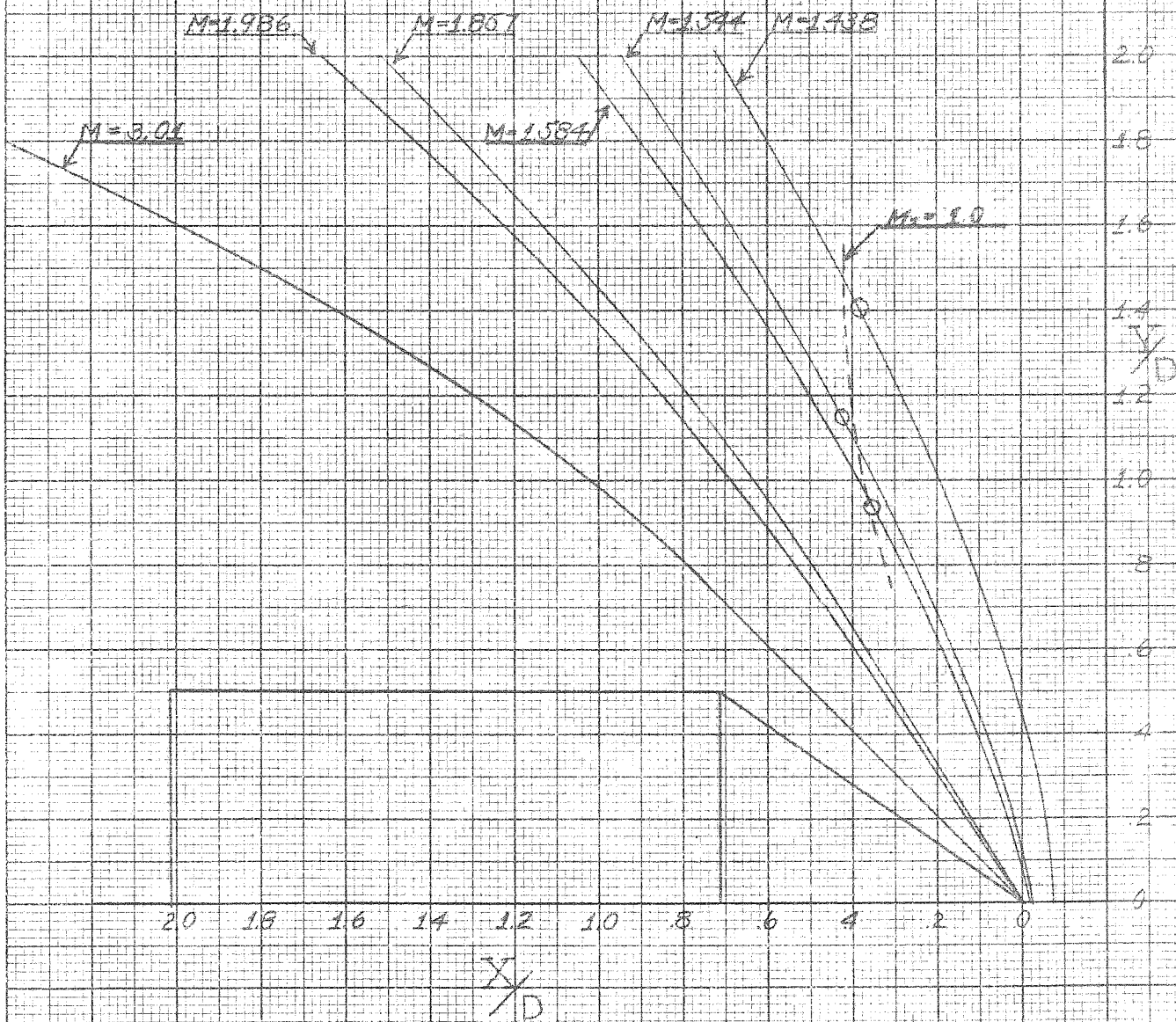


FIG 16  
 $\alpha = 3^\circ$   
LOWER

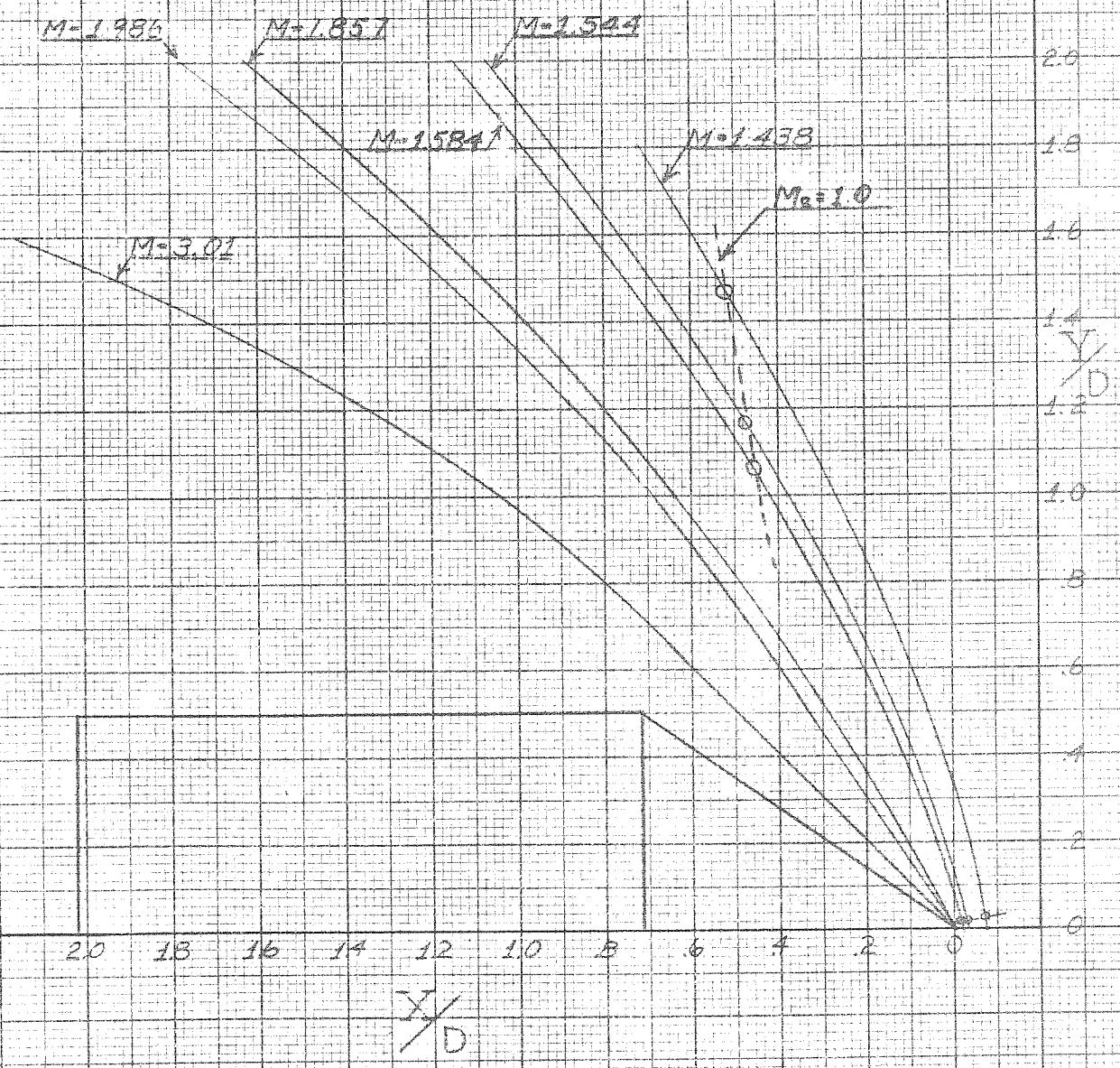


FIG. 17

$\alpha = 3^\circ$

UPPER

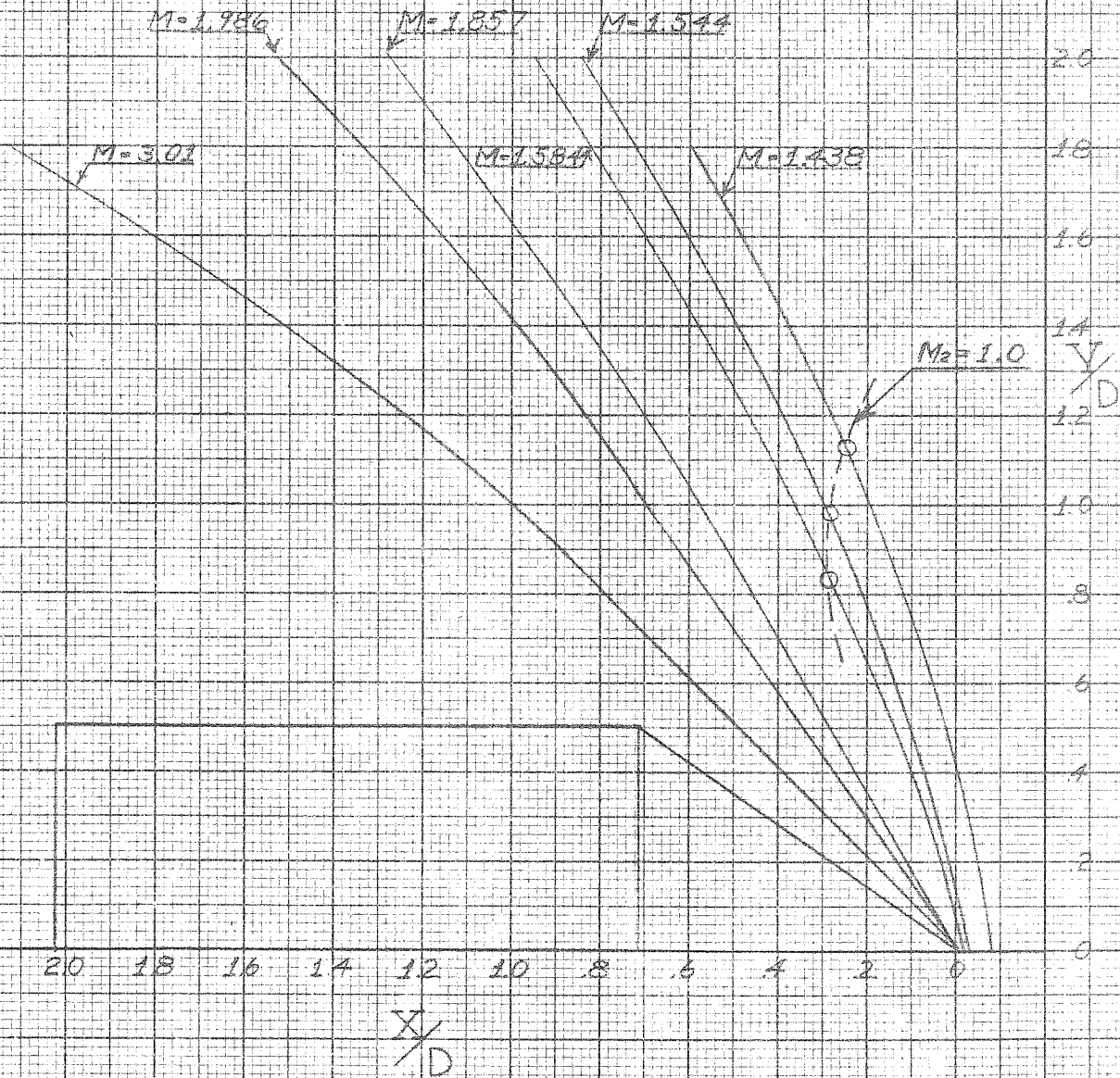


FIG. 18  
 $\alpha = 6^\circ$   
LOWER

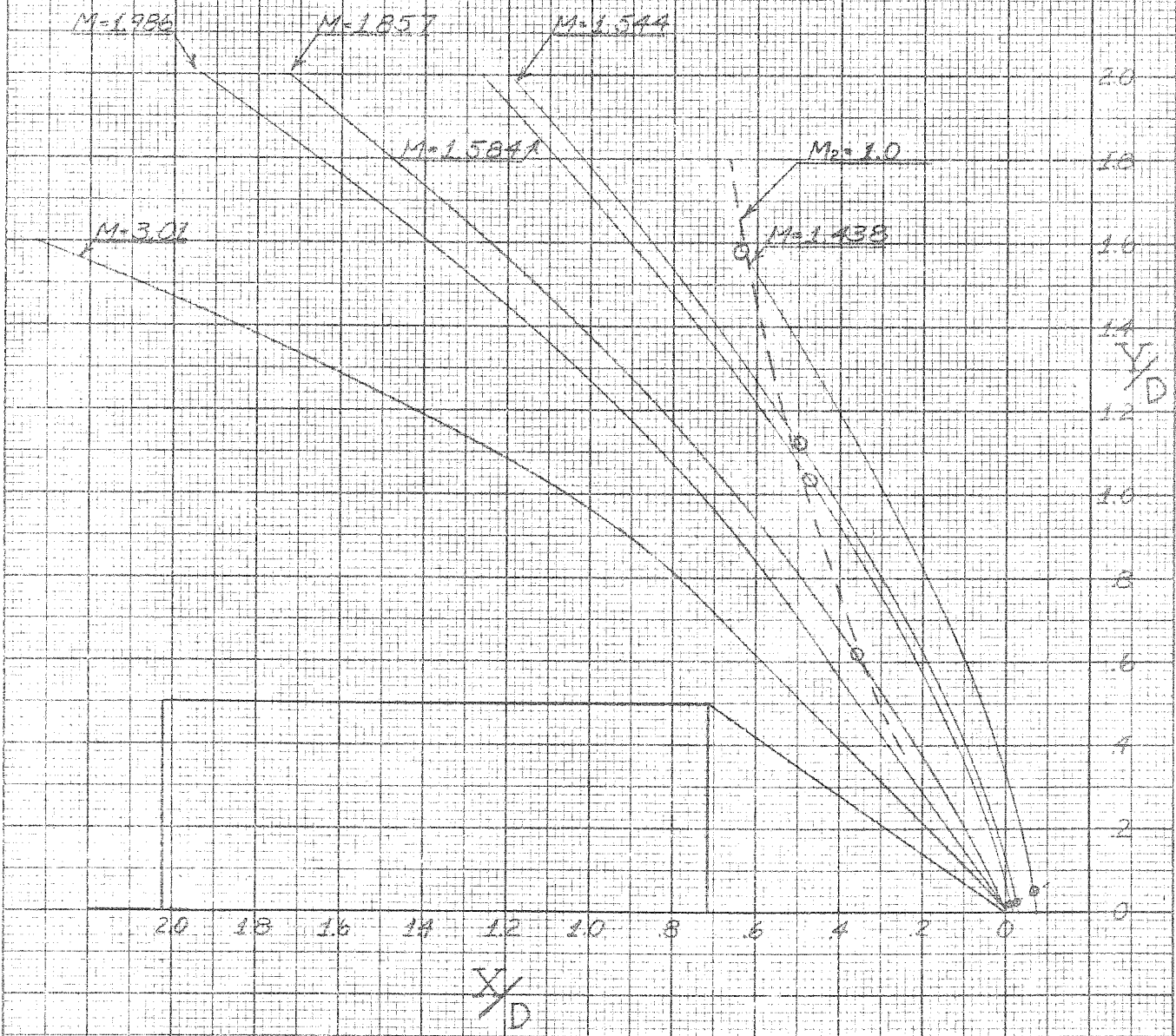


FIG. 19  
 $\alpha = 6^\circ$   
UPPER

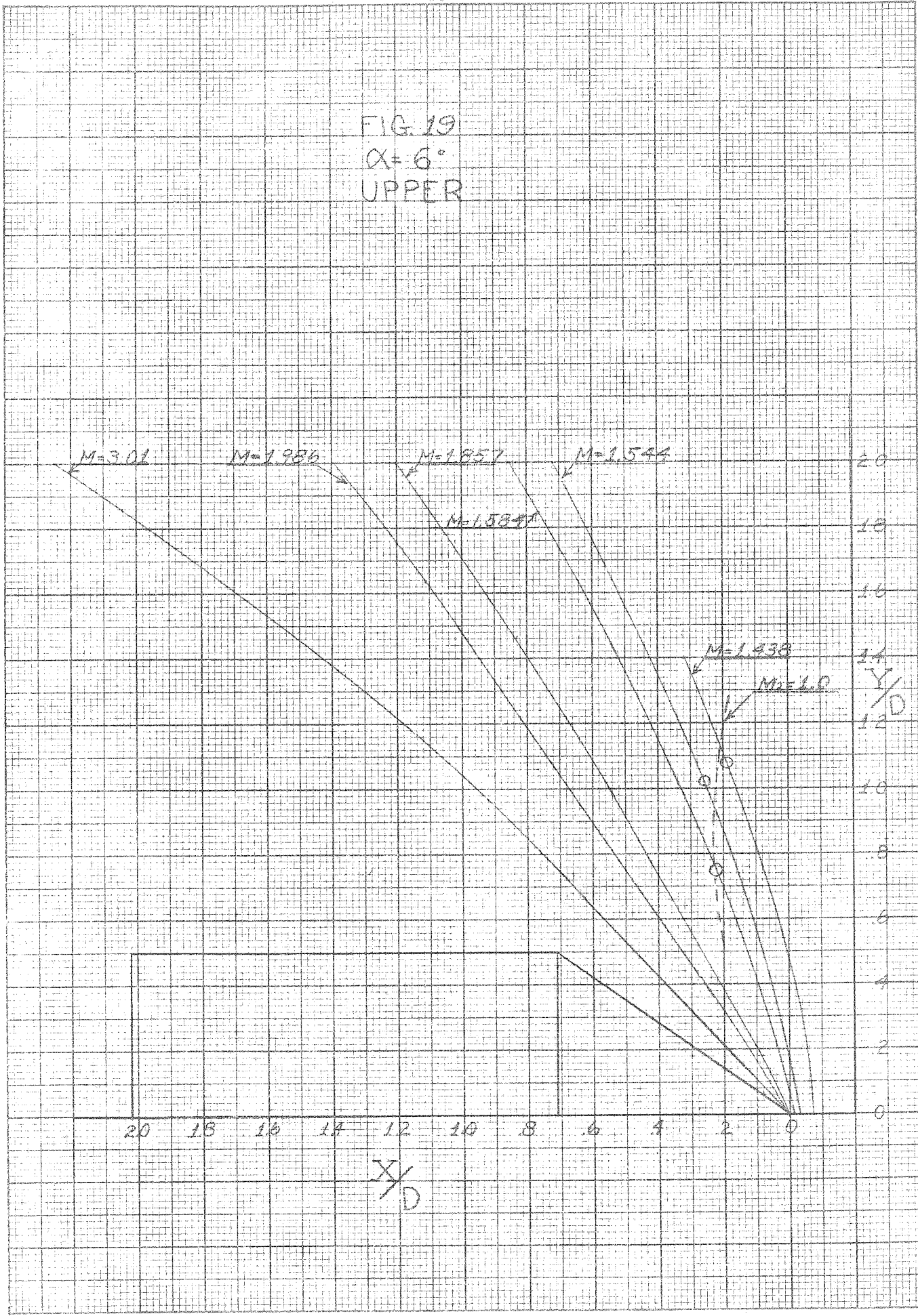


FIG 20

$\alpha = 9^\circ$

LOWER

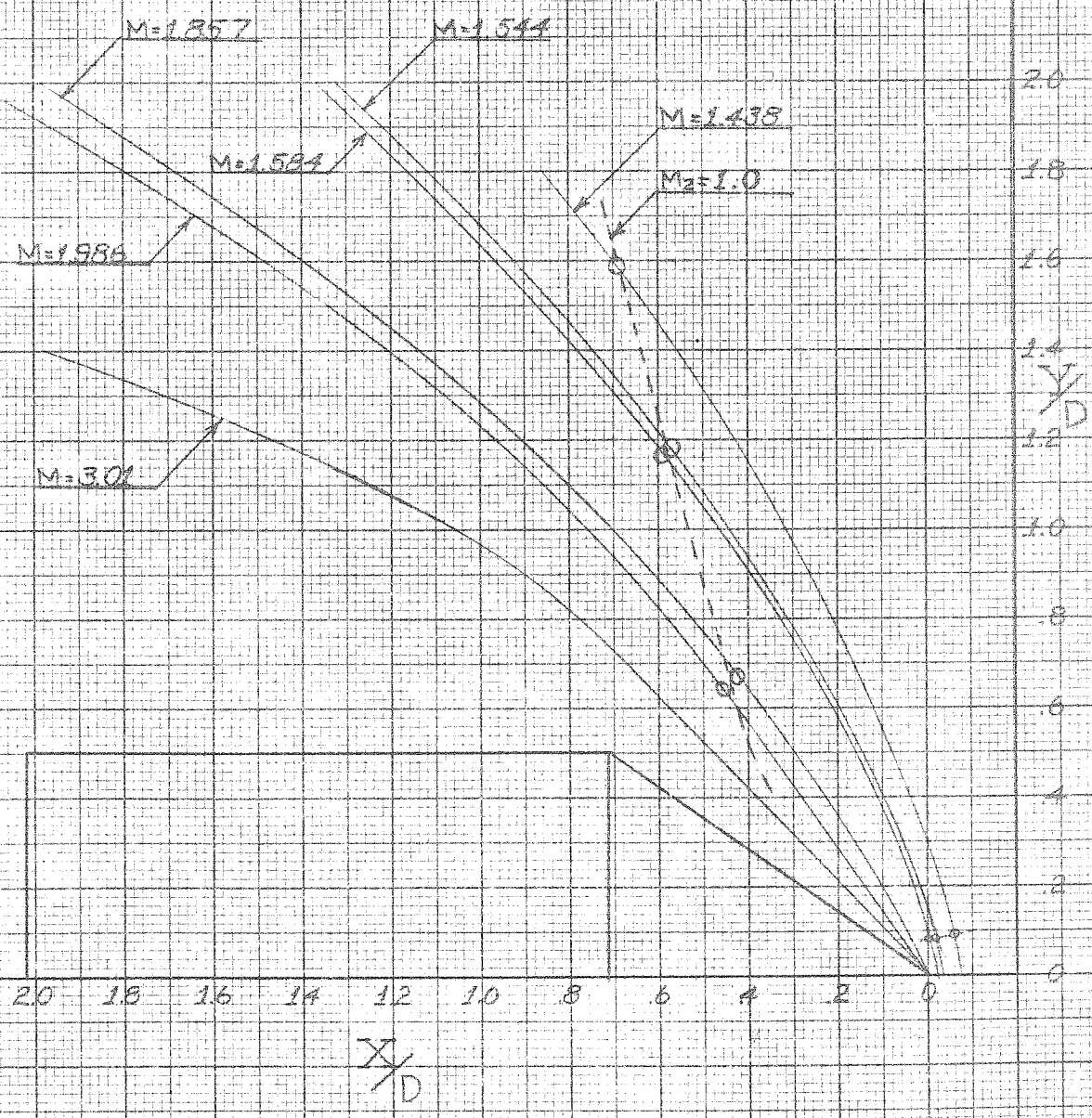


FIG 21  
 $\alpha = 9^\circ$   
UPPER

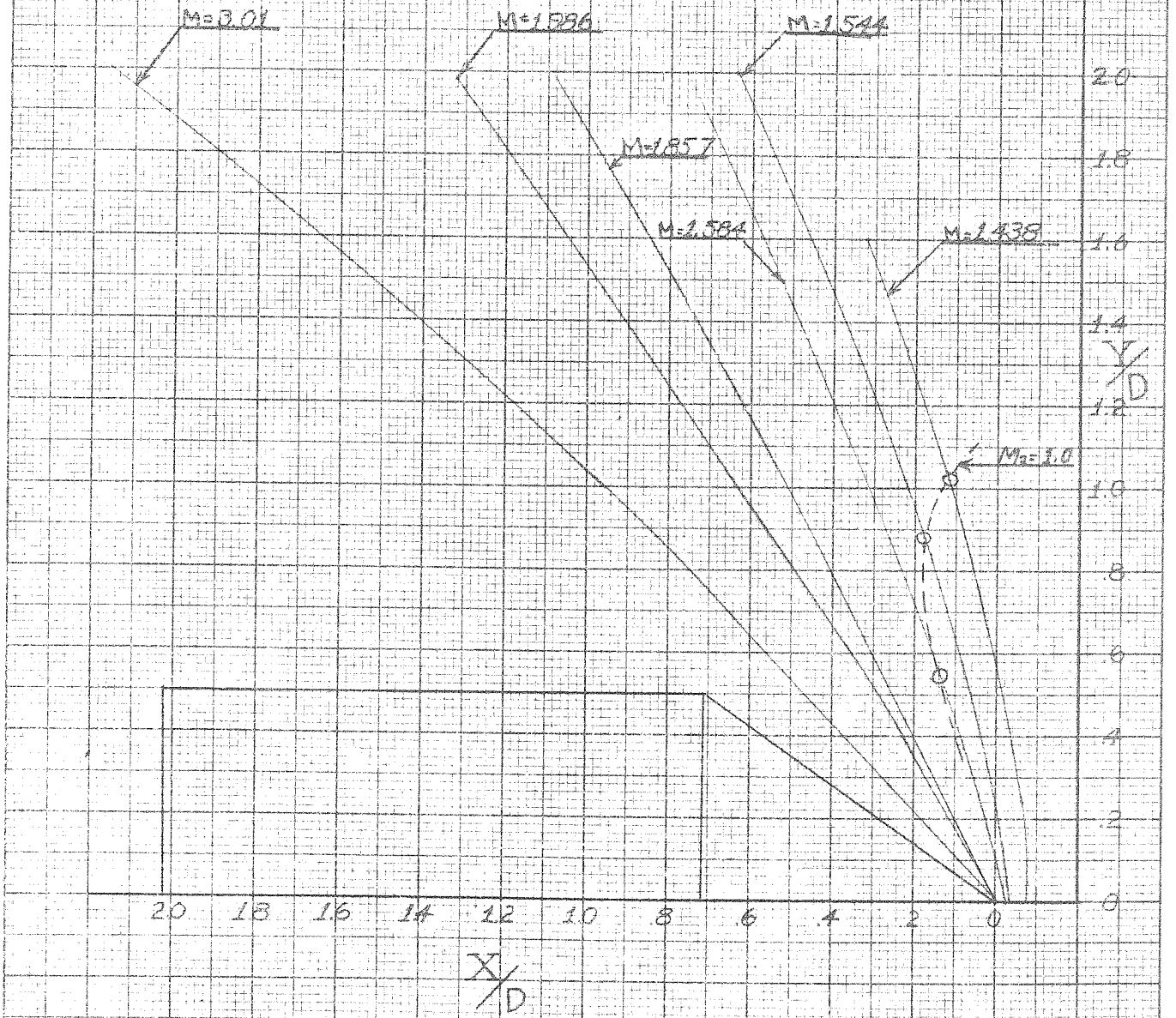


FIG 22  
 $\alpha = 12^\circ$   
LOWER

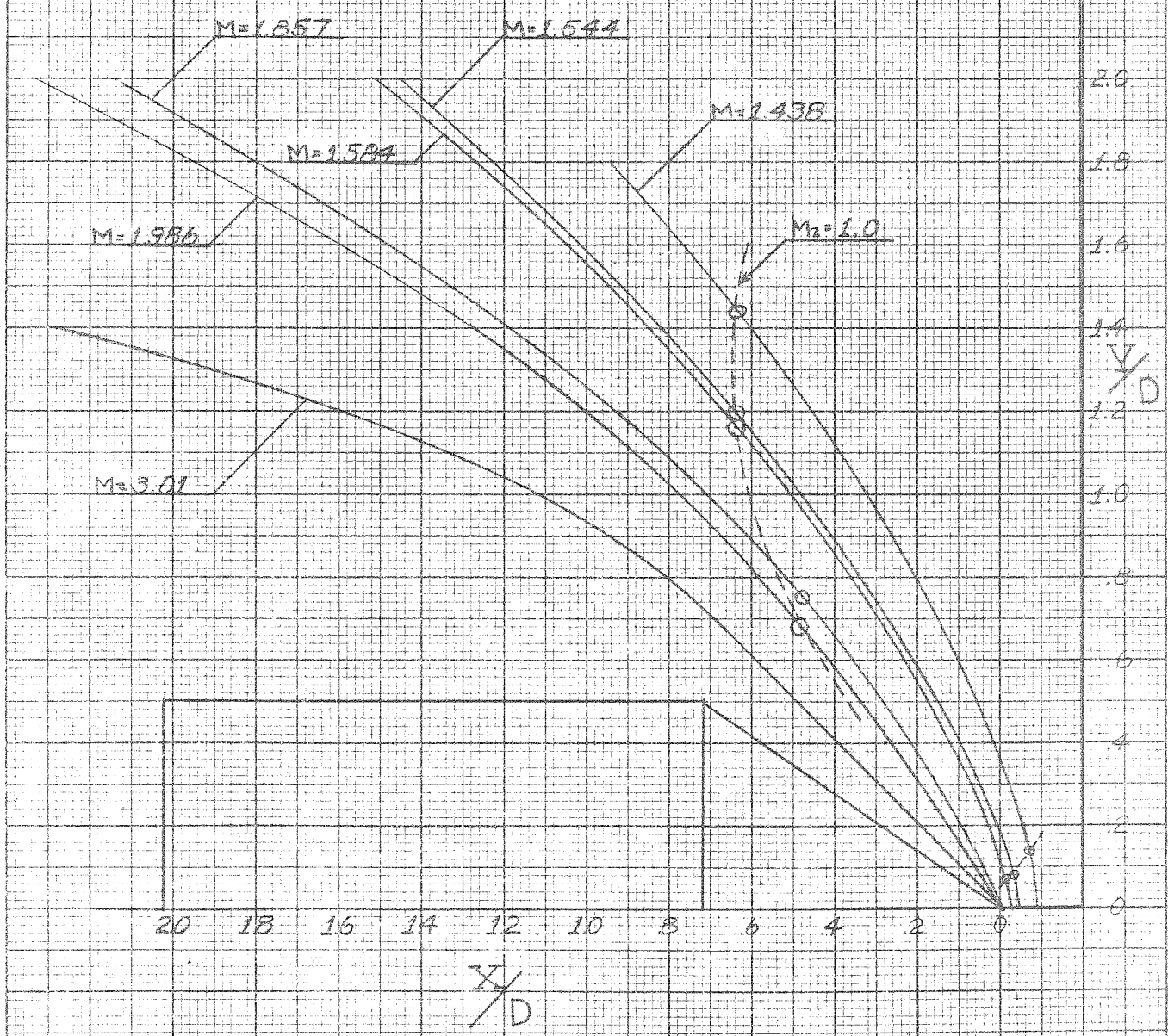




FIG. 23  
 $\alpha = 12^\circ$   
UPPER

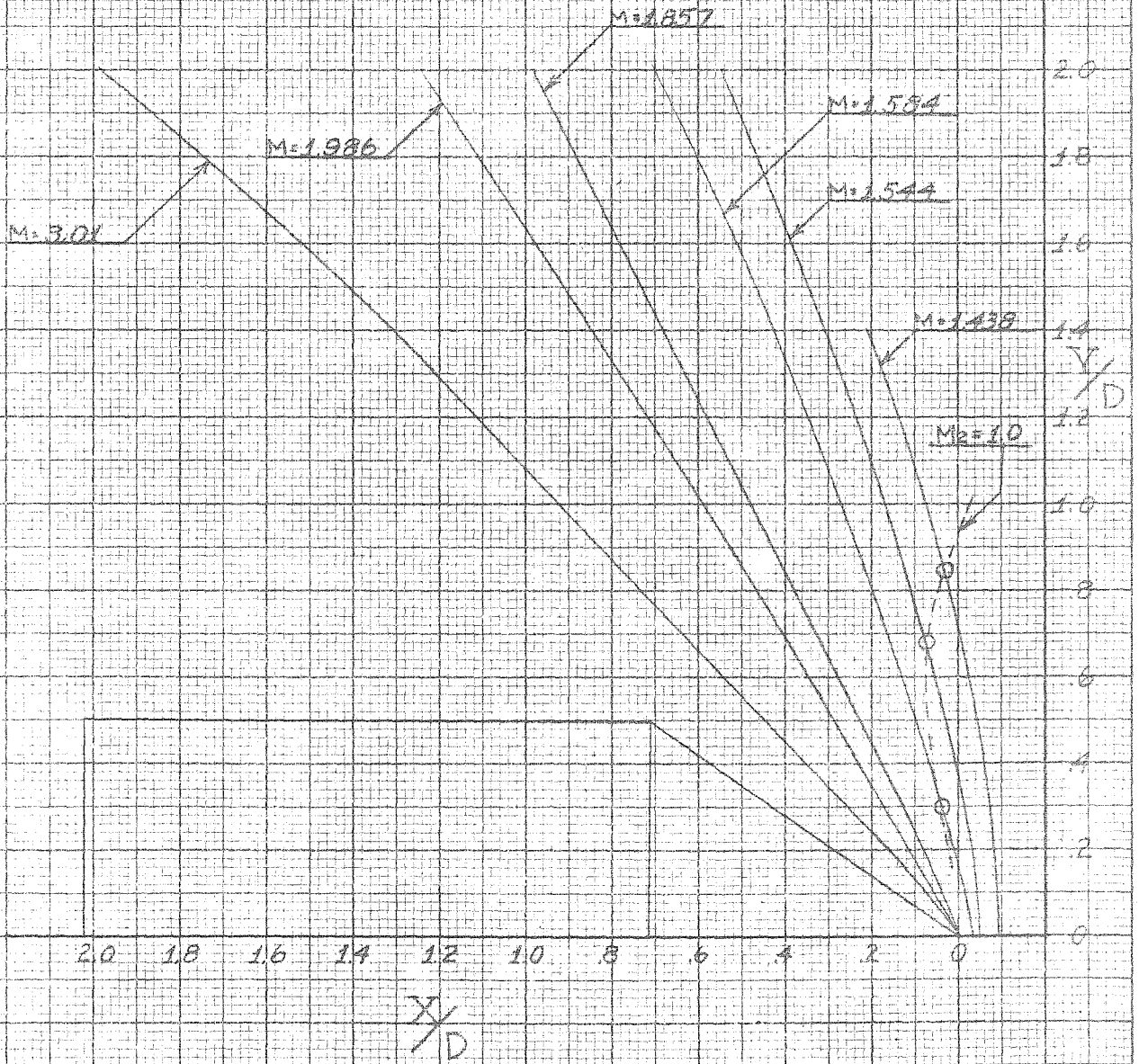


FIG 24  
 $\alpha = 15^\circ$   
LOWER

A. 2. 4. 30 AM

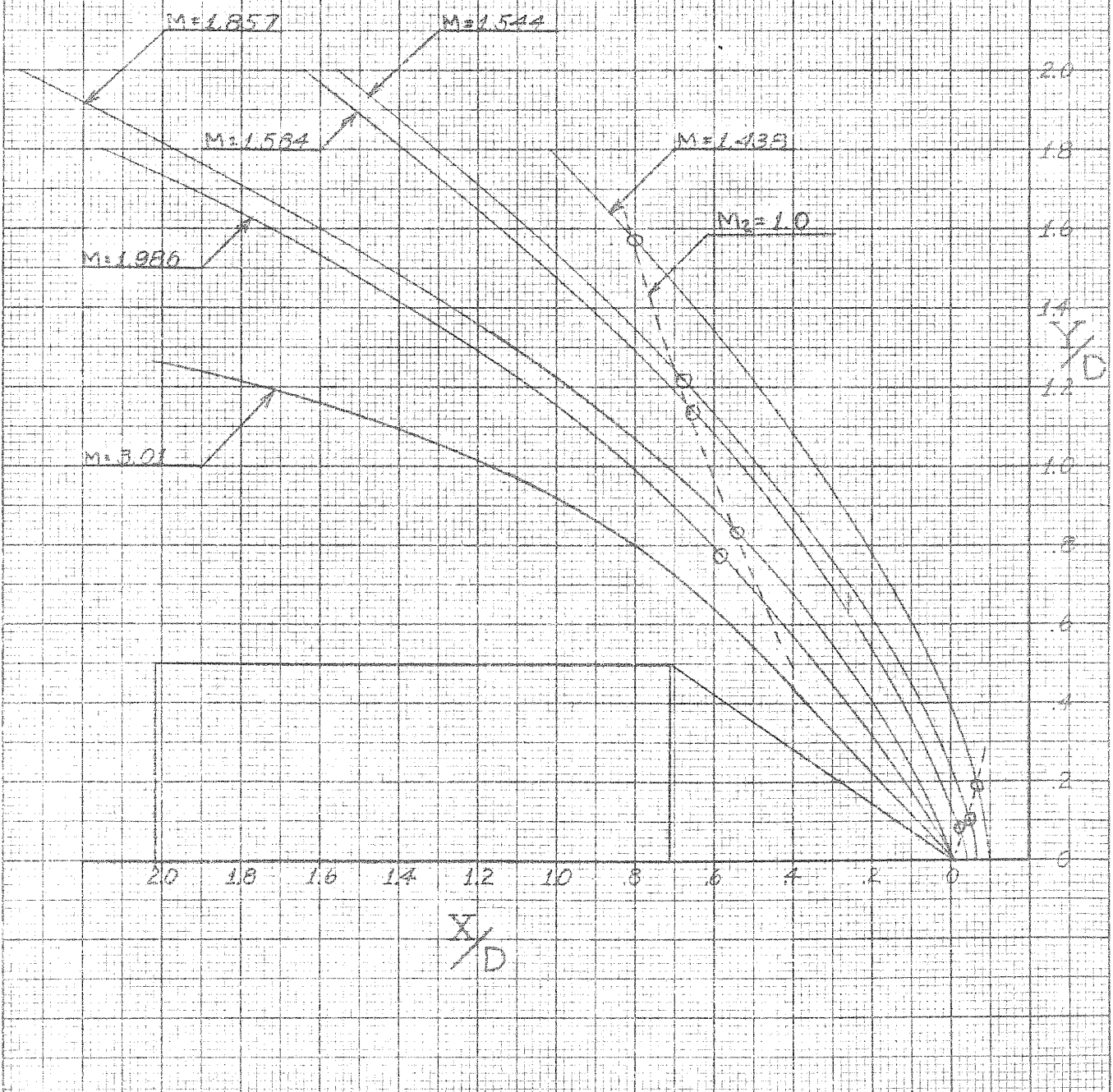


FIG. 25  
 $\alpha = 15^\circ$   
UPPER

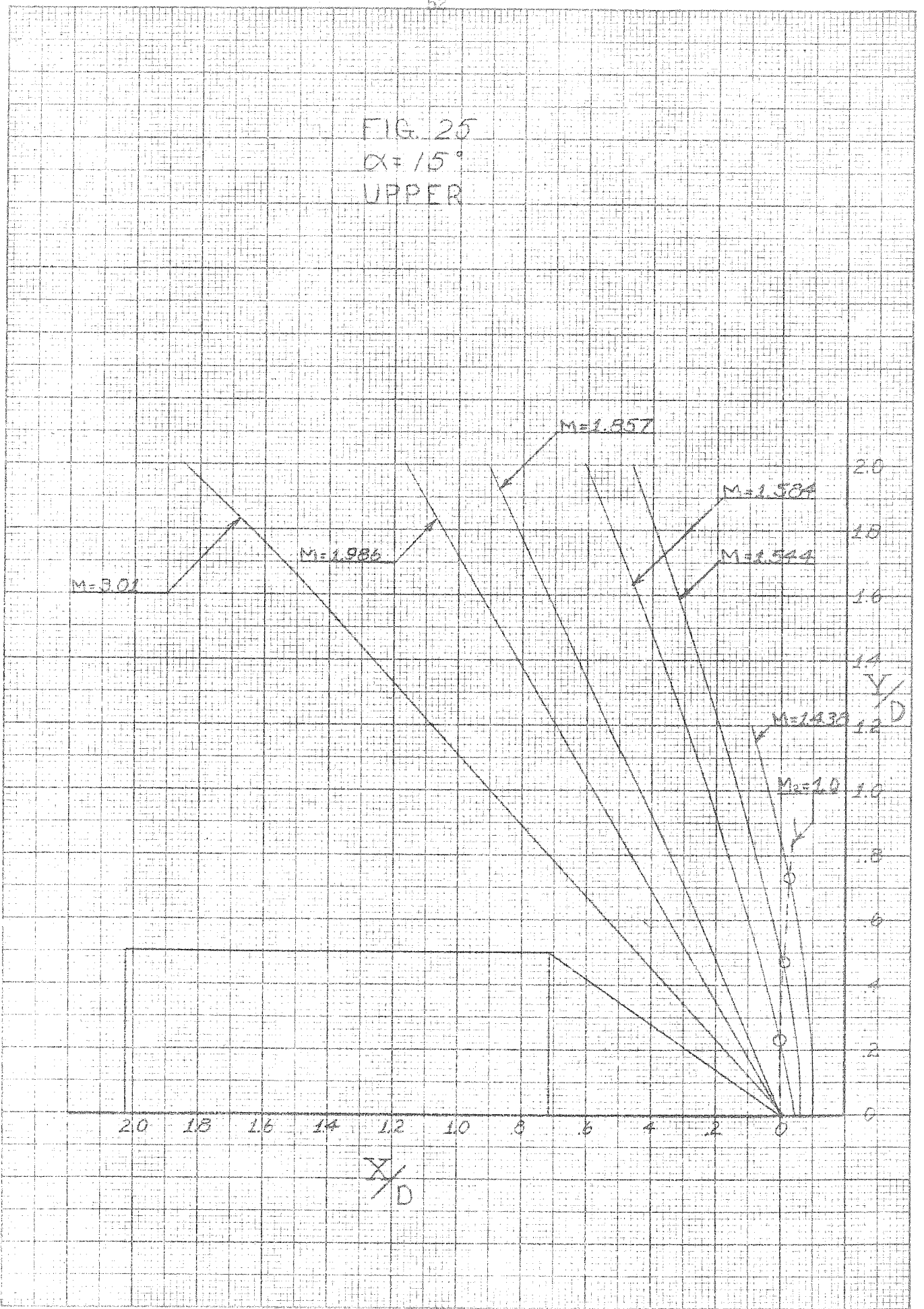


FIG. 26  
MAXIMUM FLOW DEFLECTION  
(TAYLOR-MACCOLL THEORY)

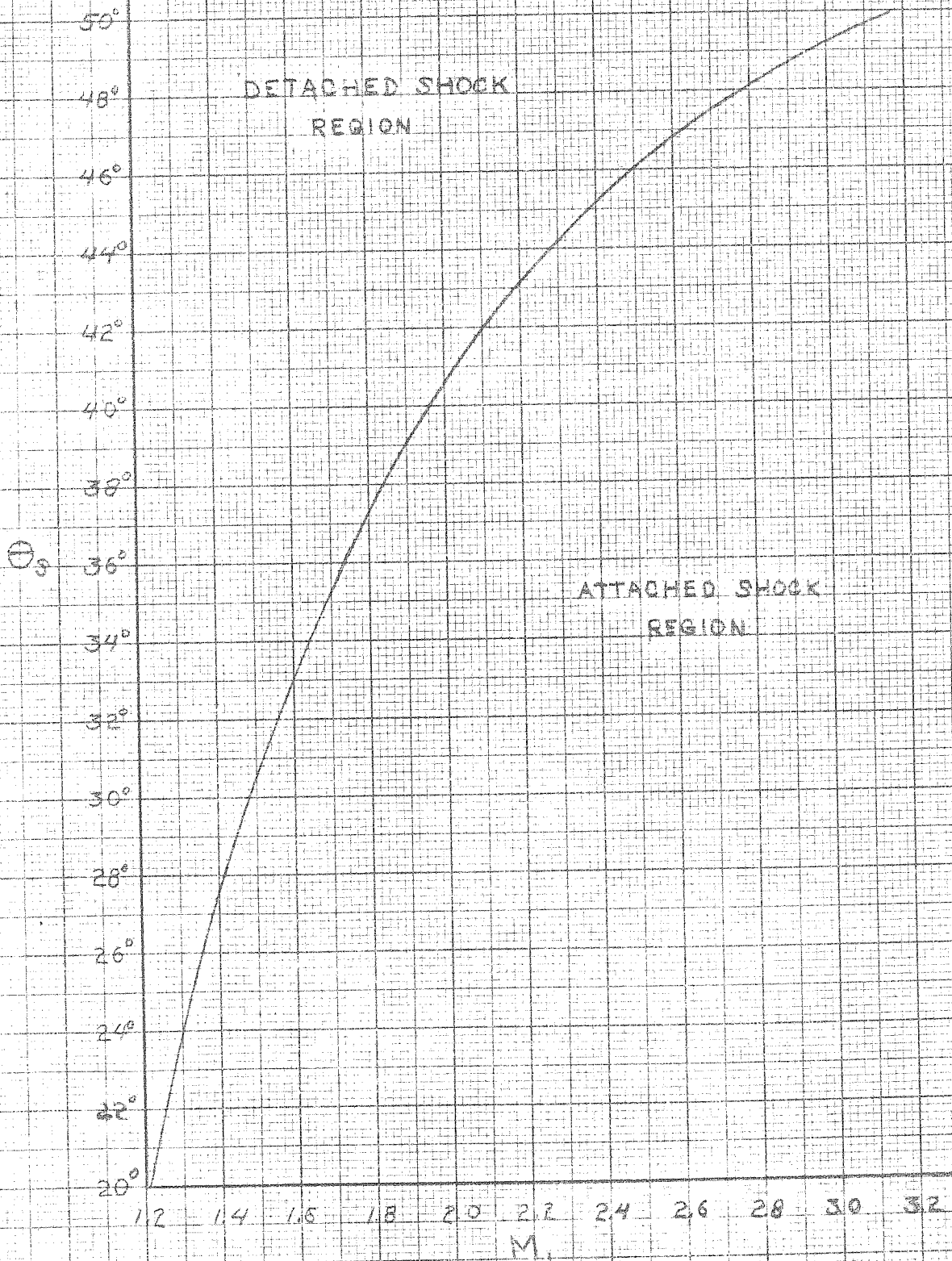
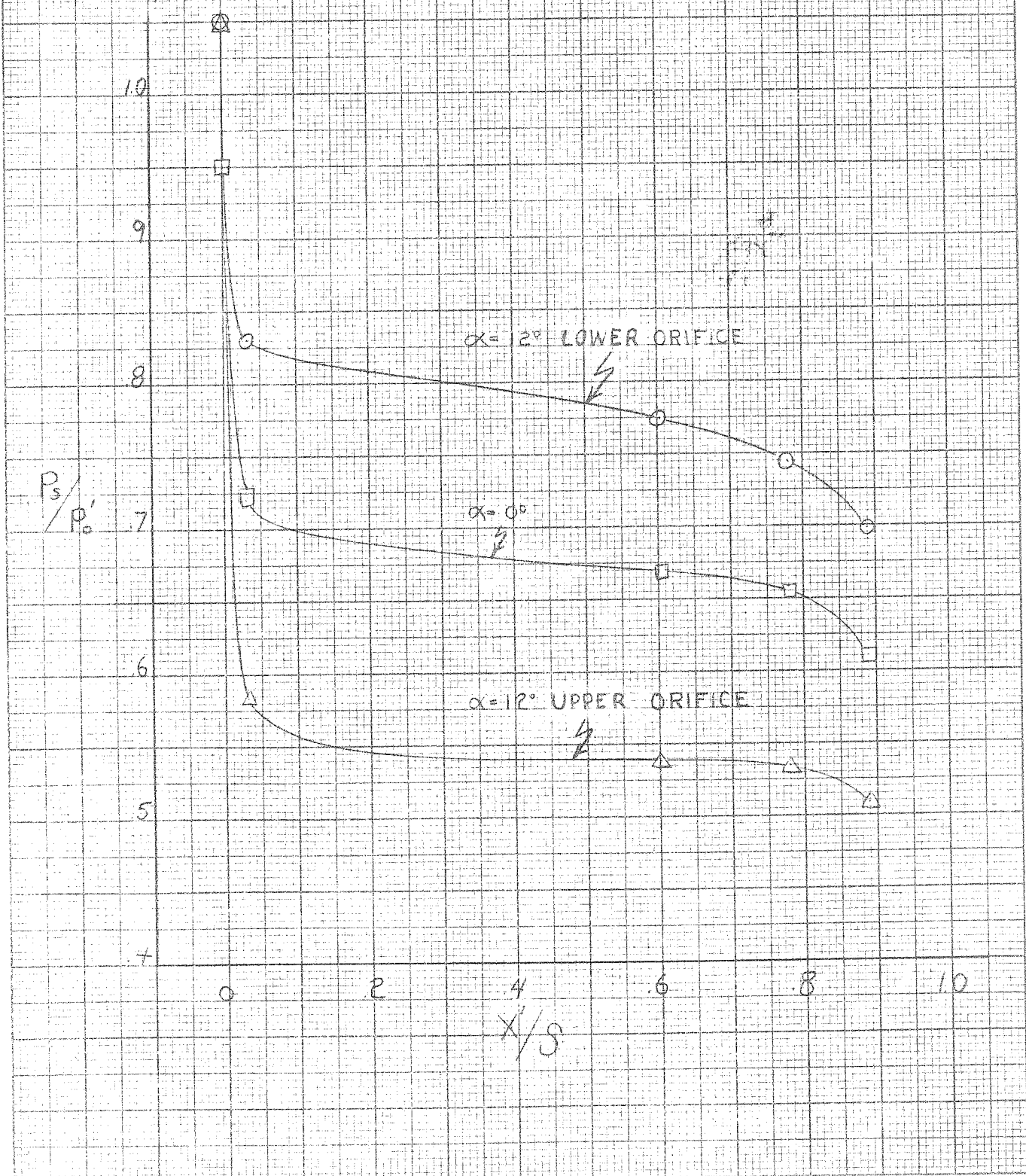


FIG 27  
SURFACE PRESSURE DISTRIBUTION  
M=1.584



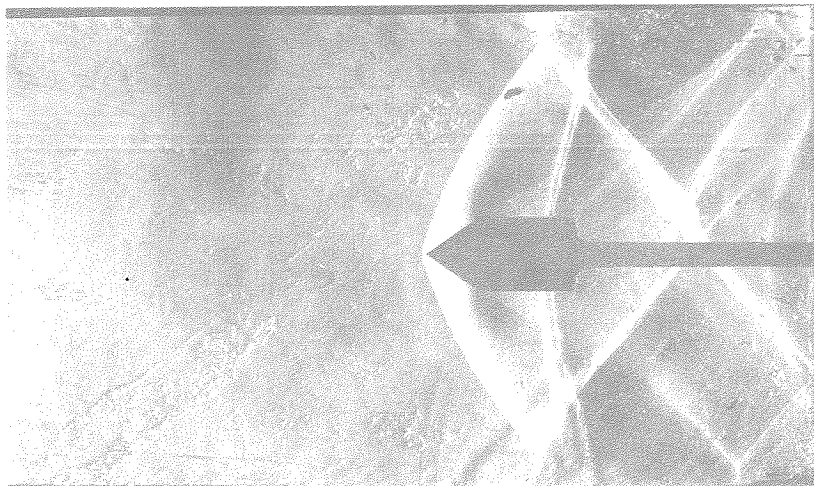


Fig. 28  
 $M = 1.544$   
 $\alpha = 0^\circ$

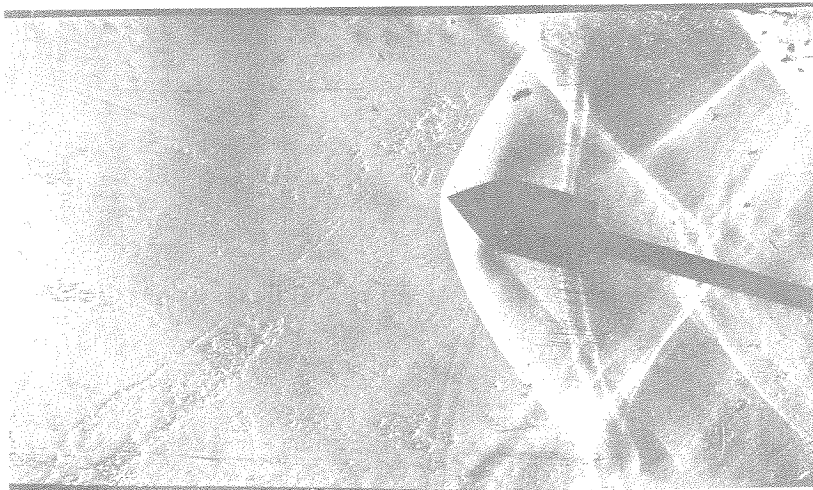


Fig. 29  
 $M = 1.544$   
 $\alpha = 15^\circ$

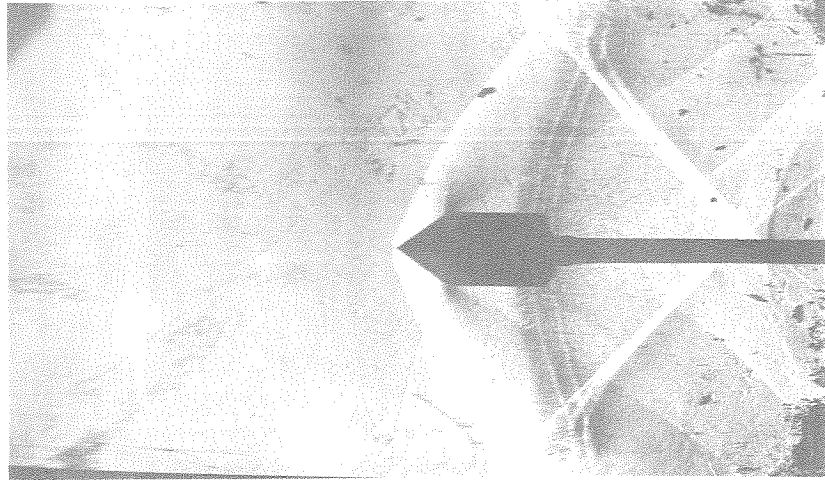


Fig. 30  
 $M = 1.584$   
 $\alpha = 0^\circ$

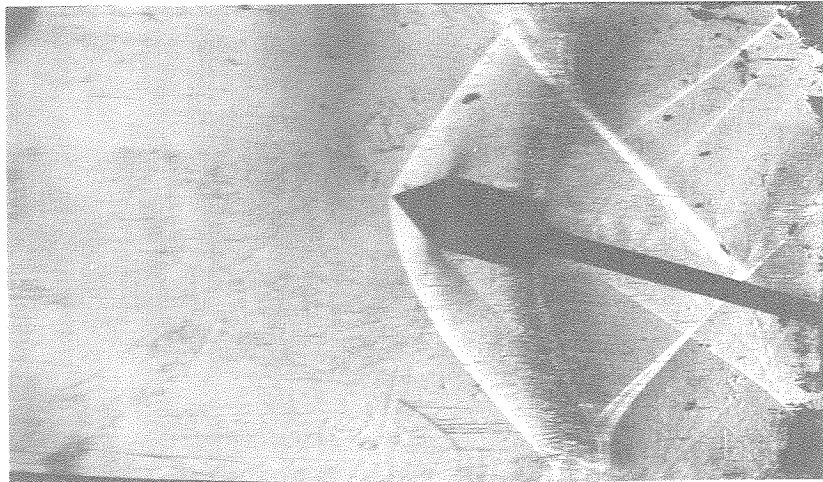


Fig. 31  
 $M = 1.584$   
 $\alpha = 15^\circ$

57

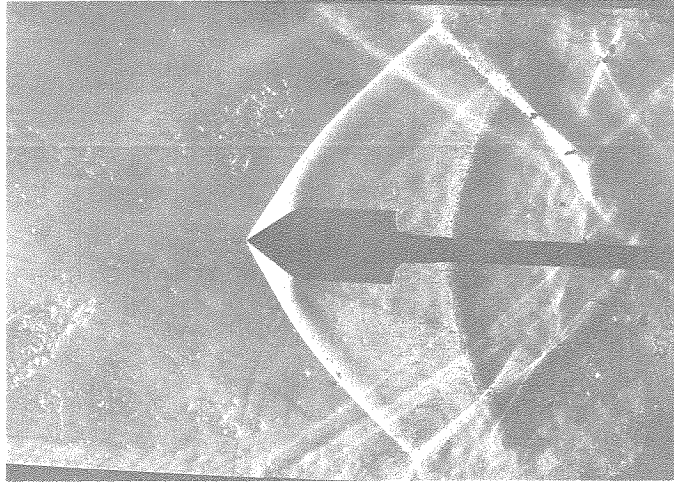


Fig. 32  
 $M = 1.857$   
 $\alpha = 0^\circ$

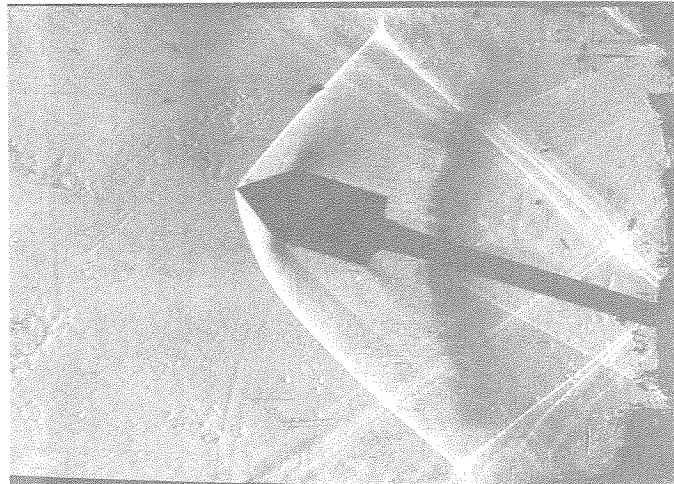


Fig. 33  
 $M = 1.857$   
 $\alpha = 15^\circ$